
Demystifying Time, Entropy, Mass, and Gravity

In Energy-Gradient-Driven Computational Universe

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No advanced mathematics required.

No physics background needed.

No extra dimensions — everything stays in 3D space.

This book walks you through the true nature of time, entropy, mass, and gravity — in plain language.

Abstract

Time, entropy, gravity, and mass emerge from a single network: a topologically fixed network composed of Space Elementary Quanta (SEQ). Time counts irreversible energy transfers across this network. Entropy is the multiplicative product of all SEQ energies, calculable step by step. Local compression of the network, locked by a chiral Higgs-like mechanism, stores elastic energy as mass, while the surrounding stretched space manifests as gravity. The model predicts a small but measurable difference between the magnetic moments of the positron and the electron. Cosmologically, the universe oscillates through compression and expansion cycles, irreversibly homogenizing energy toward maximum-entropy thermal equilibrium. Dark matter is interpreted as weakly compressed locked states, and dark energy as the network's ground-state tension. This framework offers a unified, realistic picture of quantum and gravitational phenomena without non-local interactions or statistical approximations.

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This work presents a two-layer fiber bundle space configuration with invariant topology where: (i) Time emerges as discrete entropy-increasing steps, with the universe evolving through state transitions of a Space Elementary Quantum (SEQ) network; entropy is calculated via multiplicative energy distributions $\{S=\}$ across SEQ network. (ii) $SU(3)$ mediates local space compression through 3D modulation and axis transformations, maintaining spherical symmetry. This compression induces isotropic gravitational fields via external space stretching. (iii) The essence of mass is the storage of gravitational (spatial elastic) potential energy under the interaction of $SU(3)$ corresponding to the compression of space. (iv) The framework provides a concrete mechanism for time dilation: local compression or stretching of SEQ modulates transformation frequency, directly linking gravitational/kinematic effects to observable time dilation phenomena. (v) The model predicts a falsifiable signature: a measurable difference between positron and electron magnetic moments, arising from their opposite chiral coupling to the fixed-spin SEQ ground state. (vi) The Higgs field acts as a quantum chiral lock (like a preloaded torsional spring energy storage combined with a ratchet), stabilizing the $SU(3)$ -mediated elastic energy storage in localized space by enforcing symmetry-breaking constraints. (vii) In this model, the metric-frequency correspondence shows a deep connection between space geometry and the SEQ resonance frequency. (viii) Sub-Planckian space constituents serve as gravity field quantum-graviton and as substrate of SEQ. (ix) Physical Picture of Electromagnetic Interaction under General Relativity Effects. (x) A universe evolution Model is proposed to Explain Matter and Dark Matter Formation, Galactic Rotation Curve Anomalies, the Initial Low-Entropy State of the Universe, and the Mechanism of Accelerated Expansion. (xi) Degrees of Freedom in the Future and The essence of life in This Model. (xii) This model sets the resonant frequency and resonant axis vector of SEQ as two generalized coordinates in Hamiltonian formalism with the fundamental assumption of invariant spatial topology, naturally yielding global energy conservation and significantly simplifying the Hamiltonian formulation of the system. (xiii) This model provides physical intuition for multiple phenomena, including the non-additivity of the speed of light, wave-particle duality, the uncertainty principle, parity non-conservation, the electron's $1/2$ spin, the neutron electric dipole moment problem, the fractional charge of quarks, the nature of energy in nuclear reactions, muon decay, the Structural Origins of Fermion Generations and Neutrino oscillation.

Keywords: Space-Time-Entropy Mapping; Discrete Spacetime; Thermodynamic Time Arrow; Multiplicative Entropy; Space Elementary Quanta (SEQ); Mass-Gravity- $SU(3)$ mechanism; Higgs chiral lock; Analytic Quantum Thermodynamic; Quantum Gravity

Introduction:

This work proposes an ontological framework for spacetime, aiming to explore fundamental questions concerning the structure of space, the nature of time, underlying dynamics rules of quantum process and the origins of mass and gravity from a phenomenological perspective.

Although this model may diverge from the prevailing instrumentalist and computational paradigms in contemporary physics, it offers a coherent alternative grounded in physical realism — one that attempts to realize the long-sought ontological picture pursued by Einstein, Wheeler, de Broglie, Schrödinger, and Feynman, in which spacetime and matter emerge from a deterministic, dynamically evolving substrate, while simultaneously addressing Planck's original aspiration for an analytic, non-statistical formulation of entropy rooted in the elastic-discrete two-layer structure of space. Conceptually, this framework can be viewed as a direct development of Wheeler's 'mass as geometry' intuition, achieving compatibility with Quantum Field Theory through a novel geometric interpretation of QCD and the Higgs mechanism.

This model exhibits a high degree of compatibility with the ADM formulation of General Relativity. By introducing the postulates of global topological invariance and a two-layer base space into the framework of classical quantum field theory, it becomes, in essence, a system that places stronger constraints upon both QFT and GR. Consequently, because each SEQ quanta at the Planck scale is composed of sub-Planckian elastic constituents in this model, the established mathematical framework of GR and QFT could approximately remain downward compatible with this model, provided that the distinctive irreversible thermodynamic evolution intrinsic to the model is disregarded. The core understanding is clear: under the powerful constraint of global topological invariance, the Second Law of Thermodynamics is extended down to the level of direct energy transfer between adjacent fundamental quanta. This automatically gives rise to an irreversible constraint on the update dynamics of the topologically invariant network. In other words, the thermodynamic arrow of time is a natural emergence from three fundamental postulates: global topological invariance, the two-layer base space, and the quantum-level extension of the Second Law of Thermodynamics.

From a dynamical and philosophical perspective, this model follows the energy-gradient-driven evolution view advocated by Arto Annala, concretizing the Second Law of Thermodynamics as a process of energy homogenization in a discrete spatial network through a novel multiplicative entropy. In examining several key issues — including the equivalence between the path of maximum entropy and the path of least action, the nature of life as an agent of entropy production, space as ontological reality, the chiral nature of space, the structural nature of the electron, dark matter as something other than a particle, and questioning the physical reality underlying the unitarity postulate of quantum mechanics — this model aligns closely with the philosophical and epistemological principles of the academic program pioneered by Arto Annala. Therefore, this SEQ model can be positioned as a discrete model exploration within the physical framework established by Professor Annala's series of papers — a framework in which energy gradients serve as the fundamental driving force of evolution.

At the geometric level, this model follows the Clifford–Einstein–Wheeler "physics as geometry" program. Within this "physics as geometry" program, many physicists have made important contributions through elastic solid spacetime models, condensed matter physics models, soliton models, and walking wavepacket experiments. Following Sakharov (1968), John M. Baker, R. A. Close, Leonov Vladimir, Danielewski & Roth and David Izabel — have respectively developed distinct mathematical formalizations within the elastic solid paradigm, modeling space as an elastic medium to describe gravitational interactions, matter waves, and the geometric duality between mass and gravity.

From the perspective of matter waves and wave realism, this model shares affinities with the de Broglie–Bohm interpretation. In terms of its ontological commitment to the nature of space, it is close to Loop Quantum Gravity.

Section 1. The Basic Picture

In this model, the universe is not an empty stage with matter moving across it. Instead, space itself is a discrete network of fundamental units called Space Elementary Quanta, or SEQ. These units are connected to their neighbors like points on a grid or a fishing net, and crucially, these connections never change. No point ever gains or loses a neighbor, no link is ever broken, and no new link ever appears. Every physical process—motion, light, gravity, time, even life—is nothing but energy redistributing itself across this fixed network. The energy distribution across the entire system can be fully represented by the energy values carried by each node, with each value being an integer multiple of Planck's constant. Energy can only transfer between adjacent nodes, one unit at a time, and it always flows from higher-energy nodes to lower-energy nodes. That simple rule generates everything we observe. A moving particle is an excitation wave propagating across the network. Time is the counting of these discrete energy transfers. Mass is a region where the network is locally compressed, with that compressed state locked into place. Gravity is the stretching of the surrounding network caused by that compression. Forces are energy gradients. Even a beating heart or a turning gear is, at its most fundamental level, energy redistributing itself step by step across the same unbreakable but deformable network. Because the adjacency relations never change, global energy conservation is automatic, and the system can be described with unusual simplicity. In this view, there is no fundamental difference between matter, force, and space—they are all expressions of a single underlying structure: a network that never changes its connections, only the energy distribution across its nodes.

1.1 The universe is expanding.

1.2 The universe operates under the Law of Energy Conservation and the Law of Entropy Increase.

1.3 The universe consists of SEQ, discrete Planck-scale units, forming a topologically homeomorphic 3D structure (adjacency relations remain preserved while individual SEQ energy states may vary). Importantly, this polycrystalline structure necessarily contains primordial Periodic or Random Topological Dislocation to ensure physical isotropy, yet maintains strict 3D topological homeomorphism as these defects are cosmologically frozen and adjacency-preserving since the birth of the universe. The distortion of light around black holes demonstrates that gravitational and electromagnetic field quanta are coupled, suggesting they originate from the same quantum field in different excited states—leading to the SEQ hypothesis. The spacing and tension between adjacent SEQ can be modulated by gravitational or equivalent gravitational fields.

1.4 All field quanta and elementary particles represent different energy excitation states of SEQ, expressible as 3D dynamic structural matrices of SEQ.

1.5 SEQ possess a ground state energy (e.g., ground-state spin or vibrational modes). If ground-state spin chirality is fixed, this may explain parity violation. The ground-state energy of SEQ could also account for the cosmological constant in General Relativity. This framework shows strong alignment with Loop Quantum Gravity theory.

1.6 Adjacent SEQ maintain a dynamic equilibrium spacing interconnected via spring-like bonds in their ground state. SEQ are fundamental, indivisible Planck-scale entities—their structure remains intact under any deformation or energy fluctuations.

The sub-Planckian regime governs the spatial elasticity of the network (including elastic potential storage and release), while quantized energy transfer occurs exclusively through interactions between SEQ. Within this framework:

- The spin degrees of freedom of SEQ and their elastic bonds remain decoupled in low-energy states, preserving independent dynamical regimes.
- Under perturbation, the system responds by modifying SEQ resonant frequencies while generating compressive/tensile forces.
- This elastic response is nonlinear and asymmetric.
- SEQ are stable, indivisible structures composed of sub-Planckian components. SEQ' spin emerges from collective space transformations at the sub-Planck level. This ensures the spin degrees of freedom do

not interfere with elastic deformations in the SEQ network. This architecture naturally protects spin dynamics from elastic disturbances.

- At the sub-Planckian scale, the elastic properties of the underlying substrate impose an upper bound on the spacing modulation and tension between adjacent SEQ. This fundamental limit ensures that extreme deformations (e.g., near black hole singularities) cannot disrupt the topological integrity of the SEQ network.
- In this model, the harmonic oscillation intervals of SEQ are integer multiples of Planck time(t_p). Consequently, all dynamic processes—including elastic strain interactions, harmonic conduction, as well as scalar, spinor field transmissions and other energy conduction mode induced by rotational axis dynamics—are fundamentally constrained by the discrete Planck-time intervals. This property inherently ensures the model's consistency with the discrete-time hypothesis in quantum mechanics and quantum gravity theories.
- Any discrete model of spacetime must confront the challenge of restoring spatial isotropy so as to remain compatible with the Lorentz-covariant rules established by observation. Beyond the isotropy mechanism tied to the topologically dislocated configuration discussed in §1.3, an alternative is to let the SEQ lattice spacing be sufficiently large for sub-Planckian elastic constituents—whose characteristic scale is far below the Planck length—to fill the network uniformly. Provided that, within the precision accessible to cosmological observations, the statistical distribution of these constituents yields a dispersion relation that is effectively Lorentz-covariant, macroscopic isotropy emerges naturally and remains consistent with all current observational data.

1.7 If matter truly traversed space, it would require modification of spacetime's adjacency relations. Yet black holes—despite their extreme mass—preserve local spacetime topology (as evidenced by smooth light bending). This implies that apparent particle motion must instead represent propagating excitations of spacetime itself, consistent with GR. The speed of light (c) constitutes the maximum excitation propagation rate in space.

From another perspective, gravity propagates through space, and since no material can shield gravity, it suggests that matter should be a certain excitation of space itself, inherently part of space.

1.8 Algebra derivation:Matter-Spacetime Unity| Matter is a part of space

General Relativity tells us that matter affects the metric of space, and the metric of space in turn determines the motion of matter along geodesics. In other words, matter and space influence each other.

Algebra module theory and category theory further reveal that two entities capable of mutual interaction must share part of the same algebraic structure. In categorical terms, relations are morphisms and interactions are structural.

Expressed in physical language, this means that matter and space must share a common underlying basis — hence, matter and space-time are one.

1.9 Quantum-Elastic Two-Layer Fiber Bundle Model | Common Base Space Platform for General Relativity and Quantum Field Theory

This quantum-elastic base space model, where the underlying structure consists of elastic space components at sub-Planckian scales, forming a topologically homeomorphic spatial network. Within this network, structurally stable space elementary quanta (SEQ) and nodal quantized spatial networks are constructed from sub-Planckian components. The SEQ are interconnected via sub-Planckian elastic components, forming a dual-layer fiber bundle base space structure, where the sub-Planckian components serve as the foundational substrate and the space elementary quanta form the secondary layer.

On this base space, due to the fact that the space elementary quanta themselves are composed of sub-Planckian components, the spin of these quanta is essentially a topologically protected spin excitation conduction wave on the sub-Planckian topological network. This allows for the decoupling of spin and elasticity without altering the fundamental spatial topology in low-energy states. Matter is fundamentally a compressed excitation state of space, and the motion of matter is essentially a topologically protected excitation wave on space. The motion at each level is essentially a wave on the substrate of the lower level, thus enabling the coexistence of quantum spin and axial rotational degrees of freedom with spatial elastic degrees of freedom, without disrupting the topological homeomorphism structure.

Based on this structure, it becomes straightforward to define two fundamental connections: the gauge group of quantum field theory (QFT) and the metric tensor of general relativity (GR). This enables the model to simultaneously accommodate the mathematical frameworks and phenomenological interpretations of both quantum field theory and general relativity.

Between these two connections, there also exists a categorical morphism: the geometry-frequency mirror, which will be discussed in Section 13.

In this quantum-elastic spatial network model, the energy carried by space elementary quanta can represent the quantum spin-resonance energy of space. Additionally, the elastic potential energy of space can be decomposed and calculated across relevant regions of the space elementary quanta with the mirroring principle between geometric deformation and quantum resonance frequency introduced in section 13. Thus, the entire spatial energy distribution can be represented solely by the energy carried by the space elementary quanta.

Although the Space Elementary Quanta (SEQ) are composed of sub-Planckian elastic components, they are termed "space elementary quanta" because their energy states can represent the spatial energy distribution, including the elastic potential energy distribution at the sub-Planckian level.

Once the energy distribution across space is constructed using the energy carried by the space elementary quanta, each step in the dynamic energy distribution of this quantum-elastic space corresponds to each step of spatial transformation. The second law of thermodynamics manifests as a process of energy distribution homogenization. Based on this, multiplicative entropy can be used to define the entropy value of each spatial transformation, which can then be mapped onto the time set. This provides a clear definition of cosmic time and embeds the thermodynamic time arrow of the second law of thermodynamics into the models of general relativity and quantum field theory.

The core premise of this model is that the entire space is topologically homeomorphic and fixed: its connectivity graph never changes. All motion and change amount to a dynamic redistribution of energy across this immutable network. This built-in topological invariance—an unalterable graph structure—serves as the model's fundamental invariant. It furnishes an intuitive physical picture for the constancy of the speed of light, supplies a concrete mechanism for global energy conservation that general relativity does not provide, and also simplifies the Hamiltonian mathematics of the model.

The consistent coexistence of quantum spin and axial degrees of freedom with spacetime elasticity—under the constraint of topological invariance—is only possible within the two-layer base space framework introduced here.

In this framework, each SEQ is a topologically stable quantum constructed from a sub-Planckian elastic substrate. Its intrinsic spin degrees of freedom emerge as torsional elastic waves on the substrate. Consequently, the decoupling of spin and elasticity in low-energy regimes, and their limited coupling at high-energy regimes, naturally realizes a Higgs-like mechanism (Section 10) — where mass generation corresponds to the topological locking between spin waves and elastic deformations.

This two-tiered space architecture not only accounts for gravitational redshift but also resolves the long-standing question of where the "lost" photon energy goes: as the emitted light (wave on Planckian scale quanta network) propagates upward through a gravitational potential well, its frequency decreases—because the energy is transduced into elastic deformation energy stored in the warped sub-Planckian space network.

1.10 Derivation of the Spatial Topology-Preserving Postulate in This Model

From a phenomenological perspective, the light around massive astrophysical objects such as black holes exhibits a highly smooth distribution of spacetime curvature, with no observed evidence of topological tearing or singular connectivity structures. This characteristic suggests that space possesses a certain degree of structural stability at macroscopic scales—meaning that the global connectedness and neighborhood relations of space remain invariant.

From a theoretical standpoint, the validity of the Feynman path integral method further supports the stability of spatial topology. This approach requires a weighted integration over all possible paths between two points, a procedure that presupposes the existence of a well-defined measure on the space of paths. If the spatial topology were to vary dynamically over time—altering its connectivity, adjacency structure,—the set of paths would no longer admit a consistent measure, rendering integration ill-defined. Given that the path

integral formulation has been extensively validated in quantum field theory and experimental predictions, this implies, by inference, that the underlying spacetime background must operate within a stable topological class.

Therefore, we propose that the postulate—"the topological homeomorphic structure of space remains invariant throughout physical evolution"—is a justified foundational assumption within the framework of this model. This postulate not only ensures mathematical consistency (such as the validity of path integrals and the Schrödinger equation), but also aligns with observational facts such as the geometric smoothness near black holes.

1.11 On the Nature of Elasticity in the Sub-Planckian Layer

The sub-Planckian layer constitutes the fundamental substrate of the cosmos, while Space Elementary Quanta (SEQ) are topologically excited network structures emergent from this substrate. Elasticity is not an intrinsic property of the sub-Planckian constituents themselves. Rather, it arises as a statistical synthesis of the resonant spin-axis dynamics of SEQ — mediated through the sub-Planckian layer under spacing modulation and neighbor interactions. The above is intended as a conceptual outline. Its complete mathematical and physical formalization, along with a full derivation of its empirical implications, remains an open question for future work.

1.12 The fundamental dynamical postulate of this model is that energy flows irreversibly from higher-energy SEQ nodes to adjacent lower-energy nodes, in discrete quanta of Planck's constant, preferentially along the steepest energy gradient. This postulate serves as the dynamical foundation of the entire framework; its formal development, including the definition of multiplicative entropy and the proof of spontaneous entropy increase, will be elaborated in Section 3.

Section 2. Time as a Counting Process of Spacetime Network Transformations

Human perception of time originates from the awareness of changes in the external world. Physics employs time as a fundamental measure precisely to characterize the progression of such changes. Following this logic, the overall evolution of the universe naturally corresponds to a global temporal coordinate. The Second Law of Thermodynamics further reveals the fundamental direction of this evolution: all processes involving energy dissipation are irreversible, driving the universe's energy distribution toward an increasingly uniform state. The model proposed in this paper attempts to provide an ontological foundation at the discrete microscopic level for this macroscopic irreversible evolution.

If every physical process is nothing but energy redistributing itself across the spatial network, then time is simply the measure of that redistribution. Time is not a mysterious river flowing independently; it is the counting of changes in the network's energy distribution. And crucially, this redistribution has a built-in direction: energy always flows from higher-energy nodes to lower-energy nodes, step by step, making the overall distribution increasingly uniform. This unavoidable drift toward uniformity is precisely the arrow of time. It is the thermodynamic second law written directly into the structure of space. What we call "the passage of time" and "the increase of entropy" are the same thing—two names for one irreversible process: the universe gradually smoothing out its energy differences, one tiny jump at a time.

Thermodynamics reveals a rule with no exception: energy can only transfer from regions of higher concentration to those of lower concentration, following the steepest energy gradient. This transfer drives energy distributions toward increasing uniformity and dispersion. Importantly, this rule admits no counterexample. Even at the quantum level, if you include lasers, magnetic traps, or any control devices as part of a complete closed system, the overall evolution remains dissipative—energy still moves irreversibly toward uniformity. No known phenomenon supports a truly reversible, spontaneous return to a past state in a closed system without external intervention.

To date, no empirical evidence supports the spontaneous reversible evolution of any closed physical system — whether classical, quantum, or cosmological. All observed dynamical processes are thermodynamically irreversible. This universal fact suggests that irreversibility is not an emergent approximation but a primitive feature of physical reality.

2.1 SEQ serve as the electromagnetic wave conducting medium. Matter with mass and its motion are waves in this medium. In this framework, nothing truly moves through space - light speed c is the maximum conduction speed c , preventing velocity stacking beyond c . All physical phenomena correspond to specific energy state configurations, establishing SEQ as the universal substrate.

2.2 The universe's composition: Energy conservation and quantization imply a finite number N of SEQ, each with M possible energy states, (where each energy state m_i is an integer multiple of Planck's constant h ,) allowing up to M^N transformations. These M energy states form an algebraic system incorporating translational, spinning and rotational operations connecting to standard model. Energy conservation and entropy increase constraints reduce possible transformations significantly below M^N .

2.3 Time definition:

2.3.1 Let J be the possible universe transformations ($J \ll M^N$).

2.3.2 The Planck time (t_p) interval separates adjacent transformations as the minimal time unit.

2.3.3 Time's arrow follows entropy increase.

2.3.4 Transformations map non-bijectively to entropy values (k distinct values partition J transformations into K classes). Parallel transformations share the same entropy values, but only one can occur. The entropy set maps to possible time values - each moment corresponds to one universe transformation. Non-uniform entropy increase means only a subset of possible time values actually occur.

2.3.5 Each space transformation (state transition of the SEQ network) can be assigned a unique entropy value calculated via the multiplicative energy distribution across this space transformation's matrix.

2.3.6 Finite transformations ensure discrete, limited time in this model.

(Note: this derivation is a speculative exploration within the discrete framework and does not imply reality.)

Section 3. Definition and Formula of Multiplicative Analytic Entropy

-Entropy That You Can Watch Step by Step

Traditional entropy is a statistical blur—it tells you that a room is messy, but not how it got that way. In this chapter, the author proposes a different kind of entropy: multiplicative entropy. The mathematical structure is very simple: its core consists of just the AM-GM inequality (arithmetic mean-geometric mean inequality) and an update rule driven by the energy gradient between adjacent nodes. It works like this. The total energy of the universe is fixed (first law of thermodynamics). The number of nodes in the spatial network is also fixed. Energy sits on these nodes as integer numbers, and it can only jump from a higher-energy node to a lower-energy neighbor, one unit at a time. Now, instead of counting states, the author defines entropy as the product of all node energies multiplied together. That product—the multiplicative entropy—increases with every single energy jump. It never decreases. When energy becomes perfectly uniform across all nodes, the product reaches its maximum, and no further jumps are possible. That is the second law of thermodynamics, written not as a statistical tendency but as an exact, step-by-step mathematical fact. Unlike traditional entropy, which only describes macroscopic averages, the author's multiplicative entropy tracks every microscopic transfer. It is non-statistical and high-resolution. The sum of all node energies stays constant—that is the first law. The product increases until uniformity—that is the second law. In this framework, entropy is no longer a mysterious tendency. It is a computable quantity that changes with every single tick of the universe's clock.

In this definition of entropy, the entropy value of a closed system at a given moment (i.e., during a specific state transition) is calculated as the multiplicative product of the energy norms of all SEQ involved in that transition (that moment's space transformation).

Entropy value of closed system $S = \prod m_i, i \in \mathbb{N}$;

Energy of closed system = constant = $\sum m_i, i \in \mathbb{N}$

$S_{\max} \leq m_i^{\wedge} N$, When all m_i are equal or differ only by Planck's constant h

(Where m_i refers to the energy carried by the i -th SEQ during a single transformation of the closed system, where each energy state e_i is an integer multiple of Planck's constant $h, e_i = m_i h, m_i \in \mathbb{N}$)

Each SEQ carries energy m_i = the resonant kinetic energy of this SEQ+its spin kinetic energy+the elastic potential energy of the local space surrounding the SEQ, calculated based on the gradient of resonance frequency shift relative to the Planck frequency of the SEQ, as will be elaborated in Section 9.1 and Section13.

Under this setup, the total energy of the entire space can indeed be represented solely by m_i , without the need to separately calculate the elastic potential energy within the sub-Planckian components.

3.1 Energy transfer rules and triggering conditions(underlying dynamics rules of quantum process):

Energy exchange occurs between adjacent SEQ (i,j) if and only if the following thermodynamic gradient exists: $m_i > m_j + 1(h)$. Energy transfer occurs only in discrete quanta of Planck's constant h : $m_i \rightarrow m_i - 1(h)$; $m_j \rightarrow m_j + 1(h)$. (Planck's constant: h)

This energy gradient-based update rule can serve as the underlying mechanism for the various gradient drives found in traditional physics. Under appropriate approximation conditions, it could reduce to the potential energy gradient driving Newtonian mechanics, the temperature gradient driving thermodynamics, the metric curvature gradient driving General Relativity, and the electric potential gradient driving Electrodynamics. In fact, whether at the macroscopic level or in quantum processes, thermal dissipation (the homogenization of energy distribution) is irreversible. There is no phenomenon supporting the reversibility of quantum processes—even electrons continuously radiate energy outward (the ground-state electron is merely an idealization; it does not exist in reality). In fact, all experiments that appear to ‘support unitary evolution’ in quantum systems rely on external energy inputs—lasers, magnetic traps, or other control mechanisms—to maintain coherence; when these external components are included as part of the total quasi-closed system, the overall evolution remains manifestly irreversible thermal dissipation. The multiplicative entropy introduced in this section mathematically captures the irreversibility of energy homogenization, suggesting that unitary evolution—one of the fundamental postulates of quantum mechanics—may be only an approximation, rather than a rule governing the real world.

3.2 Numerical Example: System States and Entropy Evolution

System State	SEQ Energy Distribution $\sum_{i=1}^n m_i=12$	Entropy $\prod_{i=1}^n m_i$	Remarks
Initial non-equilibrium state	[3, 1, 5, 3]	45	-
Intermediate state	PathA:[3, 1, 4, 4]; PathB:[3, 2, 4, 3];	PathA:48; PathB:72;	-
Final state	PathA:[3, 2, 3, 4]; PathB:[3, 3, 3, 3];	PathA:72; PathB:81;	Due to adjacent energy transfer with minimal quanta h , this system cannot reach maximum entropy in case A

3.3 Logarithmic Relation:

After logarithmic transformation, $\ln S$ aligns with the conventional Boltzmann entropy form, while the multiplicative formulation naturally suits discrete systems.

3.4 Proof of Spontaneous Entropy Increase

Spontaneity Theorem of entropy increase (Second Law of Thermodynamics):

For every possible energy transfer process, the total entropy change satisfies $\Delta S \geq 0$.

Proof Outline: Let the pre-transfer states be $m_i = a$, $m_j = b$ ($a > b + 1(h)$).

The post-transfer entropy ratio is:

$$S_{i2} / S_{i1} = (a - 1)(b + 1) / ab = 1 + (a - b - 1)/ab > 1 \quad (\text{Planck's constant } h)$$

3.5 The definition conserves energy, has an entropy ceiling, ensures spontaneous increase, and logarithmically aligns with classical entropy.

Indeed, this model establishes a novel analytic quantum thermodynamic framework where coarse-graining automatically enforces the quantum indistinguishability of quantized homogeneous invariant network in physical properties while simultaneously characterizing the entropy-increasing process of energy homogenization. These properties collectively confirm the validity of this entropy definition. At this point, a clear multiple mapping can be established:

One space transformation → one entropy value → One possible moment

Space-Time-Entropy Mapping Diagram

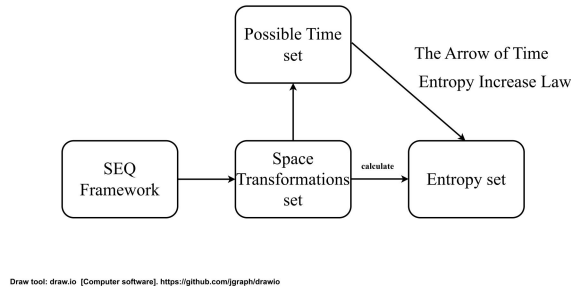


Figure 1. Space-Time-Entropy Mapping Diagram.

This time–entropy mapping realizes the analytical form of Planck’s entropy concept within a discrete spacetime network and naturally embeds the thermodynamic arrow of time into the ADM formalism of General Relativity. In this framework, temporal evolution emerges as an ordering of energy redistributions in SEQ network, unifying quantum thermodynamics and spacetime geometry under a single discrete dynamical structure.

3.6. The Spontaneous Entropy Increase is Causality

The existence of isentropic transformations and different entropy-increasing pathways imply that even with the constraint of the least action principle further limiting the degrees of freedom in future spatial transformation paths, the potential spacetime evolution trajectories are not necessarily unique. Within this model's framework, multiple solutions may satisfy the least action condition, indicating that while causality adheres to Markov properties, with a certain dynamic freedom persists.

3.7 **Why Analytic multiplicative Entropy** is Adopted: Within this model's framework, physical states at Planck-time scales exhibit deterministic characteristics. Although current experimental conditions cannot directly measure them, traditional statistical entropy can be reduced to analytic expressions at this scale. This perspective not only reveals the microscopic essence of statistical quantities but also provides a new analytic foundation for quantum thermodynamics—unifying macroscopic statistical behaviors with deterministic dynamics at the Planck scale.

Multiplicative analytic entropy corresponds to each step of energy homogenization in a system. With every step toward a more uniform energy distribution, the multiplicative analytic entropy increases, offering a clearer and more detailed characterization of the process compared to traditional statistical entropy.

Multiplicative Entropy vs. Traditional Statistical Entropy

Comparison Dimension	Multiplicative Entropy	Traditional Statistical Entropy
Process Explicitness	Explicitly records energy homogenization steps via <i>product sequences</i> (e.g., $\prod_i m_i$), preserving microstate transition details	Describes only macro-state differences via logarithmic state-count ($\ln \Omega$), erasing intermediate dynamics
Physical Intuitiveness	Entropy increase directly reflects irreversible energy redistribution; time asymmetry emerges from dynamics	Relies on probabilistic assumptions (e.g., molecular disorder) and requires ad hoc low-entropy past boundary
Process Resolution	Tracks Planck-timescale (t_p) energy transfers;	Limited to ensemble averages, incapable of resolving quantum fluctuations or short-timescale entropy production

3.8. Analysis of the Maximum Entropy Principle

3.8.1 In the SEQ model, the local maximum entropy principle is manifested through the driving tendency of entropy increase: energy not only flows from a higher-energy SEQ to an adjacent lower-energy SEQ, but it also follows the path with the largest energy difference.

For example, consider an SEQ i , which is adjacent to two other SEQ j and k . The energies carried by nodes i , j , and k are A , B , and C respectively, where $A > B > C$. In this case, there are two possible energy transfer paths from SEQ i according to the principle of entropy increase: path $i \rightarrow j$ or path $i \rightarrow k$. We will analyze the entropy change for each path separately.

Under the constraint of energy conservation (i.e., $A + B + C = \text{constant}$), the entropy of the local system composed of these three SEQ before energy transfer is: $S = A \times B \times C$

Path $i \rightarrow j$: transferring energy to node j (which has relatively higher energy):

$$S' = (A - 1)(B + 1)C = (A - 1)(BC + C)$$

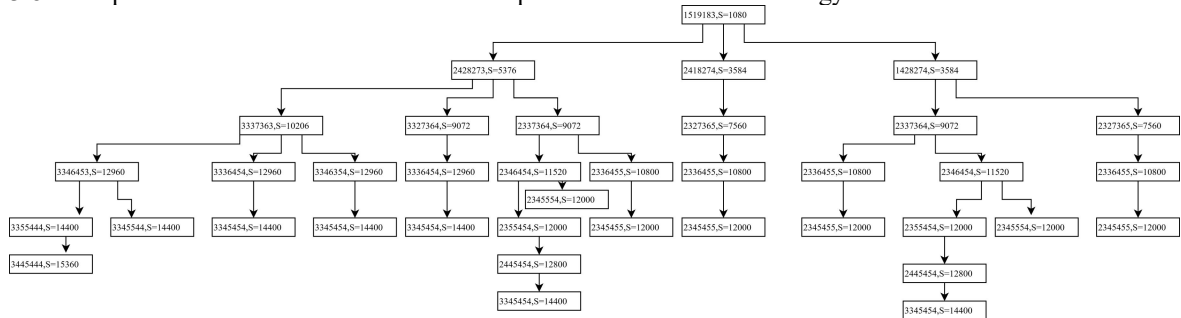
Path $i \rightarrow k$: transferring energy to node k (which has lower energy):

$$S'' = (A - 1)B(C + 1) = (A - 1)(BC + B)$$

Here, "1" represents one unit of Planck constant h . Since $B > C \Rightarrow BC + B > BC + C \Rightarrow S'' > S'$, the entropy increases more along the $i \rightarrow k$ path—that is, the path with the larger energy difference leads to a greater increase in entropy.

However, it should be emphasized that the path with the maximum energy difference is not necessarily unique. Therefore, for states that have not yet occurred, the future still retains sufficient degrees of freedom—the evolution is not entirely deterministic.

3.8.2 Simplified One-Dimensional Chain Exemple with the Maximum Energy Gradient rule



Draw tool: draw.io

Initial state: 1519183. Each digit represents the energy value of a site, with a total of 7 sites. The multiplicative entropy of each energy distribution configuration is denoted by S . The different paths are analyzed under the maximum energy gradient rule.

3.8.2.1.If only the maximum adjacent energy gradient rule (i.e., the maximum local entropy change rule for neighboring sites) is considered, the path evolution exhibits multiple branches. As shown in the diagram above, there are a total of 13 possible paths.

3.8.2.2.If the final equilibrium state is fixed, there may be different paths to reach different final states. For example, for the final state 3445444, there is only one path, with an update step count of 5. For the final state 3345544, there is also only one path, with an update step count of 4. For the final state 3345454, there are 5 paths, of which 3 paths arrive in 4 steps and 2 paths arrive in 6 steps. For the final state 2345455, there are 4 paths, all arriving in 4 steps. For the final state 2345554, there are 2 paths, both arriving in 4 steps.

3.8.2.3.Among all final states, the one with the maximum entropy is 3445444, with a multiplicative entropy $S=15360$. The only path to this state has an update step count of 5.

3.8.2.4.From the above simple analysis, it can be determined that even when the final state is fixed, there may be a distribution of path weights.

3.8.2.5.Under the single condition of the maximum adjacent energy gradient rule, with both the initial and final states fixed, it is impossible to derive an overlap between the path of maximum entropy and the path of minimum update steps (action). For example, for the final state 3345454, some paths require 4 update steps, while others require 6 steps.

3.8.2.6.If, in addition to the maximum adjacent energy gradient rule, the system is required to choose the path that maximizes the multiplicative entropy after each update step (for fixed initial and final states), then in this specific example, the maximum entropy path and the path with the minimum update steps do overlap. Specifically, following the path $1519183 \rightarrow 2428273 \rightarrow 3337363$ (selecting the maximum entropy path at each step), by the 3rd update step, 3 parallel paths of equal entropy appear, pointing to 3 different final states. For the final state 3345454, under this single-step maximum entropy selection rule, there are two distinct paths to reach it, both with the same update step count of 4. However, this is merely a single example, not a formal mathematical proof; it cannot be generalized to all cases and serves only to illustrate the branching situation of paths.

3.8.2.7.In this example, the theoretically uniform distribution final state is 4444444. Under the maximum entropy and maximum adjacent energy gradient rules, this completely uniform distribution cannot be reached.

3.8.2.8.The globally maximum entropy path for this example is: $1519183 \rightarrow 2428273 \rightarrow 3337363 \rightarrow 3346453 \rightarrow 3355444 \rightarrow 3445444$, requiring a total of 5 update steps.

3.8.2.9.Based on the above one-dimensional chain evolution diagram, the maximum adjacent energy gradient rule can only guarantee the maximum local entropy for a three-site configuration under the rule; it cannot ensure that a single-step update of the closed system follows the maximum entropy path for that single step, nor can it ensure that the closed system evolves from the initial state to the equilibrium state along the globally maximum entropy path.

3.9 In section 9.1.1, we will continue to discuss the decomposition of energy carried by SEQ { $m_i=K_{\text{resonant}} (K_{\text{spin}}) + U_{\text{elastic}}$ assigned to this SEQ from its adjacent elastic bonds manifested as frequency suppression.}, the relational expressions, and the supplementary description of the initial low-entropy state of the universe. Chapter 13 will provide a detailed explanation of the metric-SEQ resonance frequency mirror relationship under this model. With this setting, there is no need to observe the sub-Planckian constituent-level elastic potential energy or the metric tensor; instead, the regional elastic potential energy can be directly represented by the SEQ resonance frequency. Chapter 14 will mention that SEQ spin and resonance frequency mutually excite each other and change synchronously; therefore, SEQ spin kinetic energy can also be represented by SEQ resonant kinetic energy.

3.10 The multiplicative analytic entropy proposed by this model, taking the Planck constant—the fundamental unit of energy quantization discovered by Planck—as its basic element and grounded in the dynamical evolution of a discrete spacetime structure, precisely responds to Planck's original pursuit of an analytic expression for entropy. It also provides a novel microscopic foundation for characterizing thermodynamic irreversibility and the pathway of energy homogenization, thereby emerging as a candidate framework for constructing an intrinsic thermodynamic arrow of time.

3.11 Extending the Applicability of Multiplicative Entropy

A system can adopt a multiplicative entropy description if it satisfies the following conditions:

- The number of units carrying numerical values remains constant.
- Each unit is associated with a quantifiable value (e.g., energy, resource amount, or population size).
- The total sum of all unit values is conserved.
- The dynamical evolution follows a flow or exchange rule wherein quantities transfer from units with higher values to those with lower values.
- The numerical value carried by each unit must be unitized, i.e., expressed as an integer multiple greater than 1 of the basic unit. In other words, the value carried by any unit is a positive integer. The fifth condition is not a necessary requirement for the definition of numerical entropy itself. However, satisfying this condition ensures that the computed entropy value is an integer, which is particularly convenient for computer simulations and numerical implementations.

Section 4. Analysis of Action

In physics, many paths are possible, but nature always picks the shortest one—not in distance, but in the number of energy transfers required. the author proposes that action is simply the total count of energy jumps, each carrying one quantum of Planck's constant. The principle of least action, then, is just nature's habit of taking the path that needs the fewest jumps. When space is stretched, fewer nodes lie along the path, making the journey even shorter. Light bending around a star is not magic—it is the shortest counting path through stretched space. Action is not an abstract mystery. It is a headcount.

4.1. The dimension of the action quantity is consistent with that of Planck constant, so the action quantity can be the number of units of quantum energy (Planck constant).

The total number of unit quantum conduction energy of a physical process involves two parameters, one is the number n of SEQ involved in the physical process wave conduction, and the other is the conduction times k_i of the i th SEQ involved in the conduction, in which the maximum number of conduction count k_i of all single SEQ is less than or equal to times of local spatial transformations in this process. h is Planck constant. Then the action amount can also be written as

$$\sum h k_i, i \in N \quad (3)$$

The law of the principle of least action reveals that the path selected by physics process is the path that the total amount of energy conduction involved SEQ is the least. It involves two parameters, as mentioned above. If the number of SEQ involved remains the same and the conduction times of each SEQ are the same, (1)Fermat's principle of the shortest time of optical path and (2)the principle of the steepest descent line can be directly derived, because in these two examples, the number of SEQ involved in the physical process and the rolling spherical rigid body in the steepest descent line remain the same, and the conduction times of each SEQ are also approximately the same, then time (the number of local space transformations) is the only variable for the calculation of action, so using time to divide the wave forms of different paths is equivalent to using action to divide the wave forms of different paths. Time here refers to the transformation times of local space. From this point of view, we can probably understand why the analysis of action amount proposed in different periods is different, but it can explain some phenomena.

The model assumes that each transmission of SEQ can only carry energy in discrete units of Planck's constant h , where the principle of least action corresponds to minimizing the number of transmission steps. When spacetime is curved, the stretched regions exhibit lower SEQ density, requiring fewer quanta for energy propagation. However, as discussed in later sections, deformation modulates the resonant frequencies of SEQs, and the elastic properties differ between compressed and stretched phases. This necessitates a comprehensive consideration of transmission pathways through both compressed and stretched regions.

Crucially, the stretched path with reduced SEQ density remains the dominant route for minimal action propagation. In this model framework, Planck time defines the fundamental-minimum period of SEQ harmonic oscillation (corresponding to the maximum resonant frequency). Both compression and stretching deformations increase the SEQ harmonic period (reducing frequency and slowing spacetime transformation rates), though with different modulation strengths. Despite this asymmetry, the stretched path's advantage in

requiring fewer transmission steps persists, consistent with the observed convex trajectory of light around black holes.

Quantitative implementation of this model requires future development of discrete formulations of general relativistic field equations and variational principles to properly account for the asymmetric effects of spacetime deformation on SEQ network propagation. The current conceptual framework demonstrates self-consistency while providing a novel discrete approach to understanding spacetime dynamics at quantum scales.

4.2. Comparison with Hamiltonian and Lagrangian:

Compared with the Lagrangian and Hamiltonian, the analytical expression herein does not explicitly contain a potential energy term. In subsequent sections (section 9 to section 10), it will be mentioned that any form of metric change in space leads to a decrease in SEQ resonance frequency - resonance frequency modulation.

Thus, the actual analytical expression in this chapter has already implicitly included the potential energy term. Conversely, under this model, the essence of the potential energy term in the analytical expressions of the Hamiltonian and Lagrangian is the modulation of the number of energy transmissions. Under this model, gravitational potential energy, electromagnetic potential energy, weak interaction potential energy, and strong interaction potential energy are essentially the elastic potential energy of tensor or twist distortion of space.

To elaborate further:

- The absence of an explicit potential energy term in the analytical herein expression is compensated by the concept that any form of metric change in space results in a reduction of SEQ resonance frequency. This implies that the potential energy term is inherently embedded within the formulation via resonance frequency modulation.
- The essence of the potential energy terms in both the Hamiltonian and Lagrangian formulations, under this model, can be understood as modulations in the frequency of energy transmission events.
- Gravitational potential energy, electromagnetic potential energy, weak interaction potential energy, and strong interaction potential energy are all fundamentally manifestations of the elastic potential energy resulting from distortions in the spatial tensors or twists.
- The essence of potential energy release is the reduction of spatial distortion, which is accompanied by an increase in SEQ resonance frequency.

4.3. A Brief Discussion on Causality:

Within the ontological framework of quantum spacetime, the law of causality is determined by three fundamental principles: the second law of entropy increase, the principle of maximum entropy path selection, and the principle of least action (minimum action path selection).

At the microscopic scale, the discrete evolution of SEQ network is governed by a Markov process — each state transformation at the Planck time unit depends only on the immediately preceding state. However, open possibilities are preserved through nonlinear energy redistribution.

At the macroscopic scale, the cumulative effect of such microscopic causal interactions gives rise to a quasi-deterministic picture under the multiple constraints of entropy increase, maximum entropy path selection, and the principle of least action.

Thus, the second law of entropy, the maximum entropy path principle, and the minimum action path principle together constitute the foundational logic of cosmic causality: the former provides the arrow of irreversibility in evolution, while the latter two ensure the optimality of path selection. Together, they determine a unified causal network spanning from the quantum microscopic level to the observable macroscopic world.

However, since the path of least action is not necessarily unique, nor is the maximum entropy path, and the rate of entropy increase also has degrees of freedom (as will be discussed in Chapter 13 in relation to the duality between spatial deformation and SEQ resonance frequency), the future still retains uncertainty — it is not strictly deterministic.

4.4. Conjecture on the Equivalence Between the Maximum Entropy Path and the Least Action Path in This Model

In Chapter 3, we discussed that under this model, the maximum entropy path corresponds to the selection of the path with the maximum energy gradient among adjacent paths. Here, we propose a conjecture that has not yet been rigorously mathematically formalized and presupposes additional assumptions: the conjecture of the equivalence between the maximum entropy path and the least action path. If the entropy values of a system's initial state and final steady state are fixed, then following the global maximum entropy path at each step would necessarily minimize the number of transmissions required to reach the steady state—that is, the number of network updates. In this model, action is defined as the number of transmissions—i.e., the number of system updates. Therefore, as long as the rule of the global maximum entropy path holds, the maximum entropy path and the least action path are equivalent path selection rules under this model.

The reason this remains a conjecture is that the maximum entropy path discussed in Chapter 3 only considers adjacent paths between quantum sites, selecting the one with the greatest energy gradient. However, there may be multiple paths with the same maximum adjacent energy gradient, and it cannot be guaranteed that the entropy increase output from this step's equivalent maximum entropy adjacent path will be the same in the next step along the adjacent maximum entropy path. This differs significantly from planning a global maximum entropy path between the initial and final states. The global maximum entropy path selection imposes stronger constraints and is not governed by an explicit adjacent dynamics rule such as "maximum adjacent energy gradient." Instead, it follows a supra-Markovian, global path selection rule. This pattern implicitly suggests that dynamics are driven by global information about the quantum network, exhibiting characteristics reminiscent of the superdeterminism in a computational universe. Hence, for now, this can only remain a conjecture.

Section 5. Local Time, the Proper Time and Relative Time in Relativity

Why Time Slows Down — A Concrete Picture

Two Kinds of Time Dilation — Different Mechanisms

In relativity, time slows down. But there are two different mechanisms. In special relativity, only uniform motion matters. No deformation of space occurs. Time dilation here is purely an observer effect: because light signals take time to travel, a moving clock's ticks are counted differently from a stationary observer's. The clock itself does not change. Only the count changes. In general relativity, things are different. Motion involving acceleration, as well as gravity, physically compresses or stretches the spatial network. This deformation lowers the resonance frequency of the affected elementary quanta. Fewer energy transfers per external tick means time genuinely slows down at that location. So uniform motion gives only counting differences. Acceleration and gravity give real physical deformation of space. Both produce time dilation, but through different mechanisms. This Section makes that distinction concrete.

5.1 local time. As previously established, global time is defined by the transformations of the universe. This work introduces local time as an operational concept that: (1) provides correspondence with special relativistic time notions; and (2) enables precise specification of time scales for localized physical processes. Crucially, any measurable time parameter in physical calculations necessarily corresponds to transformations within a specific local space. This operational concept is designated as **local time**.

The local space scope must be unambiguously specified: either as the SEQ network along the physical process path or the connected region within the observer's light cone. This distinction mirrors the complementarity between Feynman's path-integral formulation and relativistic theory, avoiding conceptual confusion in prior works.

Local time: it can specify the time set corresponding to the transformations within a specific spatial range. In fact, from the perspective of this framework, the existing equations with t parameter in textbooks are actually the local time by default.

One example: the clock slowness effect in Relativity manifests as different transformation times in different local spaces.

Every local space transformation constitutes a part of the universal evolution. Global time progression (ΔT_{global}) does not necessitate synchronous local transformations, the state matrix of a given local space may remain invariant despite cosmic-scale changes ($\Delta \tau_{\text{local}} \approx 0$) when this local space undergoes no state transition.

5.2 The proper time in General Relativity is related to local transformations count of physics process entities. (Section 9.1, Section 9.5.6 present the physical mechanism underlying proper time dilation in GR.)

5.3 Understanding on Lorentz-covariant rules in Special Relativity theory: The time perception of physical processes across distinct reference frames fundamentally corresponds to the observation of transformation counts. The observation time discrepancy between frames derives from the accumulated difference in their frame SEQ transformation counts. An observer measures another frame's time evolution through the differential transformation count ΔN , while he can't perceive their own transformation count N_0 . The observed ΔN is fundamentally governed by the dynamic light-path difference between the observer's frame and the moving reference frame of the measured object. Under the principle of non-additivity of light speed (c-invariance), this formulation naturally derives Lorentz-covariant rules through counting operations.

- **Key Distinction from GR Effects**

While the mathematical derivation process aligns with standard special relativity textbooks—replacing continuous spacetime metrics with discrete counting operations—the physical interpretation differs substantially in conceptualization:

- **SR Effects as Perceptual Phenomena**

Time dilation and length contraction emerge purely as observer-dependent measurement consequences
Originate from information transmission constraints via discrete light-signal counting

- **Contrast with GR Mechanisms**

Gravitational time dilation involves actual deformation of the SEQ network's transformation frequency
Equivalence principle effects require space compression as well (see §9.5)

5.4 Physical Meaning of Planck Time

In this framework, the Planck time (t_p) corresponds to the **fundamental-minimum harmonic period** of the SEQ network in its equilibrium state—the duration for a complete energy transfer (or harmonic oscillation period) between adjacent SEQ. This period defines the **theoretical minimum transformation cycle** (i.e., maximum transformation frequency) of the universe as a whole.

While gravitational fields or equivalent interactions can locally modulate the harmonic frequency by deforming the SEQ network (e.g., compression/stretching, as in gravitational time dilation), the global maximum theoretical transformation frequency remains anchored by t_p in the equilibrium state. However, due to the omnipresence of gravitational effects, the empirically observable maximum transformation frequency of space may marginally less than this theoretical limit.

Section 6. Basic Physical Quantities in This Framework

— All Become Integers

In standard physics, time, length, energy, and entropy have different units—seconds, meters, joules, and so on. They feel like fundamentally different kinds of things. In this chapter, the author shows that within the SEQ framework, all four become dimensionless integers. Time is the count of energy transfers across the network. Length is the count of elementary quanta along a path. Energy is an integer multiple of Planck's constant.

Entropy is the product of all elementary quanta energy values. No continuous variables. No different unit systems. Just counting. This simplicity is not a simplification—it is the model's claim about how reality works at its most basic level. Everything else—velocity, acceleration, force—emerges from ratios of these counts. Physics becomes arithmetic.

Time: the count of the transformations of universe or specific local space.

Length: the count of SEQ in adjacent space. The source of transformation is the change of energy state, and the minimal transformation is the adjacent energy transmission. For example, after of N transformations, the number of SEQ that the farthest conduction of gravitational wave passes through is also N. This example vividly shows the concept of the integration of time and space.

Energy: integer multiple of the minimum energy unit(the Planck constant).

Entropy: the cumulative multiplication of energy on the SEQ in a whole or a locally closed space.

Time, energy, length and entropy are **dimensionless integers**.

Given the model's prior assumption that each Space Elementary Quantum (SEQ) possesses a ground-state energy quantized in integer multiples of h , the energy value of every m_i is at least 1; consequently, in this framework, the multiplicative entropy of any physical system is strictly greater than 1.

From the natural number characteristics of the fundamental physical quantities in this model, it can be seen that the model is highly compatible with Wheeler's "it from bit" vision and computational universe models. Because this model satisfies several key conditions for an automaton-based physical simulator:

1)A clearly definable discrete ontology of reality;

2)Explicit local adjacency interactions and irreversible network update rules, where the irreversible evolutionary dynamics aligns with the second law of thermodynamics, and the update rule based on energy gradients can serve as the underlying mechanism for the potential gradient driving Newtonian mechanics, the temperature gradient driving traditional thermodynamics, the metric curvature gradient of general relativity, and the electric potential gradient of electrodynamics—making it consistent with traditional physics that has clear dynamical driving rules.

3)Global constraints: 3D global topological invariance and global energy conservation.

Section 7. Phenomenological Consistency Checks

Any new model must explain what we already see. In this section, the author shows that the SEQ framework passes basic consistency checks. Why can't anything move faster than light? Because light is the maximum propagation speed of energy across the spatial network—nothing can outrun the network's own limit. Why does the uncertainty principle exist? Because knowing a particle's exact position means localizing it to a single elementary quantum, which loses information about its wave-like propagation across the network. Why does parity violate? Because SEQ have a fixed chiral spin ground state, breaking left-right symmetry from the start. Why do muons decay differently when moving? Because acceleration deforms space, lowering the resonance frequency of elementary quanta, which slows the internal clock that governs decay. This model may differ from textbook paradigms, but it is consistent with observed phenomena—at least conceptually.

7.1. Why Can't the Speed of Light Stack Up?

As established above(Refer to Section1), the speed of light (c) constitutes the maximum excitation propagation rate in space, wherein all observed motion fundamentally represents state transitions within SEQ network rather than physical traversal through space.

7.2. Uncertainty Relation and Wave-Particle Duality

The Uncertainty Principle naturally arises from wave propagation through discrete SEQ: precise position inherently limits determination of conduction speed (wave dynamics), and vice versa.

Wave-particle Duality. The wave nature is fundamental, while the particle nature emerges from the discreteness of spacetime itself.

7.3. Double-Slit Experiment

The interference pattern observed in repeated single-electron or single-photon double-slit experiments can be interpreted as a statistical accumulation of distinct trajectories, each corresponding to a different realization of initial excitation conditions and local environmental fluctuations. Each individual particle effectively follows a path of stationary action — that is, a trajectory that extremizes the action functional according to the principle of least action (In reality, multipath disturbances are still present—they're just too small to be noticeable). The high-density arrival regions in the double-slit interference pattern emerge as overlapping zones of these individual stationary-action paths across successive trials, reflecting the probabilistic distribution predicted by the quantum path integral formalism.[1,2]

Note: While this framework strictly enforces time ordering along entropy increase, it currently does not provide an interpretation for **delayed-choice experiments**. This remains an open question requiring further development in this framework.

Nonlocality may exist in nature, I prefer to focus on what is computable, evolvable, and causal. This model assumes that quantum phenomena arise from the coherent superposition of real paths, which evolve under local interactions. This approach avoids the complexity and unpredictability introduced by nonlocality, while still being able to explain interference and decoherence.

7.4. Non-Conservation of Parity

With the assumption above, if SEQ ground state spin chirality is fixed, that could be one possible explanation of the non conservation of parity.

Is dark matter potentially explained by high-density SEQ ground-state clusters under gravity? And is the ground state energy carried by the SEQ the so-called dark energy?

7.5. Conjecture on Muon Decay Experiment [3]

Within this framework, accelerated muon motion induces local SEQ spacing variation, lowering local spacetime transformation frequency—manifesting as time dilation. Particle decay arises from the destabilization of their 3D structural matrices when interaction forces(EM/weak/strong) can no longer sustain equilibrium. Crucially, this destabilization exhibits transformation-frequency dependence, explaining observed variations in Muon Decay experiment.

Section 8. Experiment to Verify or Falsify the Hypotheses Proposed

A good scientific model must risk being wrong. This section presents a concrete, measurable prediction that can falsify the SEQ framework. the author predicts a small but statistically significant difference between the magnetic moments of the positron and the electron. Why? Because the positron's internal structural matrix rotates with opposite chirality to the electron's, coupling differently with the fixed chiral spin ground state of SEQ. If experiments—like the ongoing precision measurements by the Fan-Myers-Sukra-Gabrielse collaboration—find no difference within measurement error, this model is wrong. If a difference appears, the model gains credibility. One experiment. One clear outcome. This is how science progresses.

A prediction of a difference in the magnetic moments of the positron and electron.

Given the isotropic nature of the electric field generated by electrons, this framework hypothesizes that electrons possess an Spatially Symmetric dynamic structure composed of SEQ. Under the SEQ framework, all charged microscopic particles including electrons and quarks possess 3D structures that preserve spherical symmetry in space.

If a statistically significant discrepancy is measured between the magnetic moment of the positron and that of the electron, it would strengthen the credibility of the hypothesis 1)the SEQ's chiral ground state and 2)the structured nature of electrons. This difference arises because the positron's structural matrix rotates with opposite chirality to the electron's, resulting in distinct coupling configurations with the SEQ's fixed-chirality

ground-state spin. Based on this, it can be inferred that the magnetic moments of the positron and electron should exhibit a slight discrepancy.

Section 9. Gravitational Interaction, General Relativity and Cosmic Evolution Model

In this model, gravity is not a mysterious force. It is elasticity. When a region of space is compressed—by the $SU(3)$ interaction within hadrons—the surrounding space stretches outward. That stretching is gravity. Mass is the stored elastic energy of that compressed state, locked in place by a Higgs-like chiral mechanism. The universe itself oscillates through alternating compression and stretching phases, each cycle homogenizing energy further. Dark matter is weakly compressed locked states. Dark energy is the ground-state tension of the spatial network. Gravity, mass, dark matter, and dark energy are not separate mysteries. They are different expressions of one thing: the elasticity of a spatial network.

9.1 Gravitational interaction is modeled as a translational action described by matrices that alter the equilibrium spacing between SEQ. SEQ are interconnected via spring-like bonds in their ground state (Refer to the basic setting in Section 1.6, page 2). Gravity modifies this spacing, creating tension with finite potential energy. This system behaves like a loaded spring: under gravitational fields, oscillation frequencies decrease, reducing local spacetime transformation rates and causing time dilation - matching general relativity's predictions while revealing its mechanism. Mass-generated gravity acts as a spherically divergent translation with inverse-square density, curving flat spacetime topologically to produce general relativistic metric changes.

Within this discrete framework, the singularity paradox of black holes is naturally resolved because the tension between SEQ has an upper limit.

Macroscopically, (1) It explains metric variations and gravitational time dilation predicted by general relativity, while remaining compatible with its continuity assumption, (2) The ground-state energy of SEQ can also give a depiction of the cosmological constant in general relativity. (3) At the cosmic edge, adjacent SEQ lack outward coordination sites, creating an expansion tendency from interior with the initial kinetic energy released during the birth of the universe—a potential mechanism for cosmic expansion.

9.1.1 Under this model, a deduction of the process of cosmic expansion.

Cosmic evolution is an irreversible sequence of energy homogenization through repeated compression–expansion oscillations, ending in maximum-entropy thermal equilibrium.

- $E_{\text{global SEQ network}} = K_{\text{resonant}}(K_{\text{spin}}) + U_{\text{elastic}}$;
- $U_{\text{elastic}} = U_{\text{compress-stretch}} + U_{\text{twistor}}(\text{Space network spinor})$;
- $U_{\text{twistor}}(\text{Space network spinor})$ converts into $K_{\text{resonant}}(K_{\text{spin}})$; embodied as space network spinor.

Among them, the conversion of twistor potential energy into resonant kinetic energy corresponds to the Kerr metric. However, since the Kerr metric distortion is not completely radial, the conversion of Kerr metric distortion potential energy into resonant kinetic energy simultaneously alters both the resonant frequency and the resonant axis vector (generalized coordinates in the model mentioned in Section 13.4). Further mathematical formalization requires rigorous derivation by professional physicists based on observational data; here, only a rough model can be proposed.

- $U_{\text{compress-stretch}}$ converts into $K_{\text{resonant}}(K_{\text{spin}})$

Supplementary description of the initial low-entropy state of the universe

Before the Big Bang, the universe was in a highly compressed state. The elastic potential energy was divided into two components: one was spatial compression potential energy, and the other was spatial twistor potential energy (Space network spinor). The spatial twistor potential energy was concentrated in some local regions of space — this constituted the initial low-entropy state. After the Big Bang, the twistor potential energy from this tiny region was released through conversion into SEQ resonant kinetic energy and SEQ spin

kinetic energy, and this energy was then conducted to other regions of space. This process represents the specific mechanism of entropy increase.

1	Potential energy is stored in elastic bonds composed of sub-Planck scale components.
	In this model the energy of SEQ m_s equals the SEQ resonant kinetic energy plus the elastic potential energy assigned to this SEQ from its adjacent elastic bonds manifested as frequency suppression.
2	Chapter 14 will mention that SEQ spin and resonance frequency mutually excite each other and change synchronously; therefore, SEQ spin kinetic energy can also be represented by SEQ resonant kinetic energy.
3	Chapter 10 will discuss that mass formation is mainly due to spin locking the spatial compression state and the key factor is the coupling confinement potential between the network <u>spinor</u> and the SEQ fixed <u>chirality spin</u> .

9.1.2 The mass formation and matter-energy conversion mechanisms in different stages of cosmic evolution:

- First stage of cosmic expansion: mass generation dominates.

According to this quantized elastic space-time model, mass is formed when compressed states are locked by the coupling of SEQ network spinors and the fixed chirality spin of SEQ. The formation of mass states depends on the degree of spatial compression and the intensity of SEQ network spinor. Since the universe as a whole is in a highly compressed phase during this stage, and SEQ network spinor is concentrated on a local zone, it is consistent that mass is formed. In the first stage, the entire cosmic space is generally in a highly compressed state, and during the initial inflationary period, the compression is even more pronounced. Due to the space network spinor--SEQ fixed chirality coupling locking mechanism (similar to the Higgs mechanism, introduced in Chapter 10), the highly concentrated spinor of local zone causes certain compressed spatial states to be locked into mass states. Therefore, mass generation dominates in this stage, especially during the early inflationary phase, when the spatial compression level is higher and better matches the compression required for mass state formation.

- Second and third stages of cosmic evolution:

transformation from mass states to energy states dominates, with possible new mass state formation during the process.

In these stages, the universe as a whole enters a stretched phase. According to this model, mass states become unstable due to the stretching of the space itself. The conditions for mass state become weaker, leading to more mass states breaking down. During this phase, new elements—mass states—may be generated within massive celestial bodies.

- Fourth stage of cosmic evolution : the universe re-enters a compressed phase.

However, at this stage, the distribution of SEQ network spinor distribution has become more uniform, and the effect of the Higgs-like mechanism is weaker. Although new mass states may still form, the overall rate of mass generation is significantly lower than in the first stage.

- Fifth stage of cosmic evolution:

repeated oscillations leading into thermal equilibrium oscillation.

As the network energy becomes increasingly uniformly distributed—an irreversible entropy increase process—the proportion of mass states in the universe gradually decreases through repeated oscillations. Eventually, all mass states are transformed into energy states, meaning the spin kinetic energy distribution of the SEQ network becomes uniform, and the universe enters oscillation in a thermal equilibrium state.

This mechanism, in which high spatial compression collaborates with space network spinor to generate mass, may also explain the observed **anomalies in galaxy rotation curves**. Specifically, the early universe featured a high concentration of network spinor. This intense network spinor concentration, coupled with the extreme spatial compression, facilitated the formation of mass. Consequently, the resulting mass structures and their surrounding space likely retain higher-than-expected spinor, which could account for the observed rotational dynamics in galaxies.

Dark matter formation is also dominated by a synergistic locking mechanism involving spatial compression states and a Higgs-like mechanism (space network spinor and SEQ fixed-chirality spin coupling), similar to the mass generation mechanism in the early stages of cosmic expansion. However, dark matter formed at a later stage than ordinary mass. The spatial compression level during this phase was insufficient to reach the threshold required for mass generation. Moreover, by this time, the increase in entropy had led to a more uniform distribution of space network spinor, reducing the strength of the spinor field in the Higgs-like mechanism to a level insufficient to lock high-compression states. This is the fundamental difference between dark matter and mass states. In essence, dark matter is also a form of locked spatial compression state, but with a much lower compression strength compared to mass states. Nevertheless, it still exerts a stretching effect on the surrounding space, manifesting as a gravitational field.

Why is there a global gravitational tension-restoring potential in the first stage of cosmic expansion, even though the entire space is in a compressed phase? Because the compression level within mass structures is significantly higher than that of the surrounding space, leading to a large gradient in spatial deformation, which gives rise to a relative tension-restoring potential — the gravitational potential.

This explanation is self-consistent and visually clear, especially in providing a concrete physical image and mechanism for the large-scale generation of mass states in the early inflationary universe.

9.2 Consistent with general relativity, high-velocity or accelerated transformations of localized matter compress space, thereby inducing tensile stretching of surrounding space (equivalent gravitational effects). This process not only induces spacetime curvature but also modulates the conduction frequency of waves.

In relativity theory, equivalent gravitational fields from velocity/acceleration (1) share the same core mechanism as mass-generated gravity—local SEQ compression (reduced spacing) inducing spacetime stretching, but (2) exhibit vector-directional dependence (anisotropic compression) instead of spherical symmetry, and (3) reflect inertial-SEQ lattice coupling through their non-spherical divergence and preferred orientation alignment in quantum spacetime structure.

9.3 Detailed Correspondence with Newton's law of universal gravitation

"The number of sub-Planck substrate on the surface of a mass source corresponds to the number of gravitational flux lines (i.e., the count of gravitational transmission paths). As the gravitational field diverges spherically, the density of these flux lines becomes inversely proportional to the surface area at any given radius, thus exhibiting an inverse-square relationship with distance. This result directly coincides with Newton's law of universal gravitation."

9.4 Correspondence with Newton's First Law—the Law of Inertia

In this framework, the compressed space at the front and the stretched space at the rear—both caused by the object's motion at Constant Velocity—are always the interfacial boundary between the matter wave and the surrounding SEQ. Beyond this boundary, there is no compression or stretching induced by the object's motion at Constant Velocity, only a shift in the harmonic vibration phase of the SEQ, the system reaches equilibrium at Constant Velocity.

The work input during acceleration establishes interfacial strain energy in the SEQ network, which then sustains uniform motion through elastic potential equilibration.

9.5 Understanding on General Relativity

9.5.1 Under gravitational and equivalent gravitational interactions, the dynamic deformation of 3D space structural matrix and variation in local SEQ density distribution corresponds to Metric field in General Relativity.

9.5.2 Minimum cumulative conduction count path adjustment along with the cumulative dynamic paths connecting every two-points with the minimal count of adjacent SEQ through spacetime distortion corresponds to geodesic path in general relativity. (Principle of least action)

9.5.3 Global topological homeomorphic transformation in SEQ framework corresponds to Diffeomorphism invariance in General Relativity.

9.5.4 The continuity assumption in general relativity, analogous to the continuum medium framework in fluid mechanics, constitutes a necessary and effective computational framework.

9.5.5 Black hole event horizon:

Inside the event horizon of a black hole, due to intense gravitational forces, the spacing between SEQ is compressed to its limit. This extreme compression approximately and locally halts: (1)Energy conduction (2) space transformations (3)Entropy increase step (Neglecting black hole accretion).

9.5.6 Gravitational and Kinematic Time Dilation

All factors that induce metric variation, including mass (gravity), velocity, and acceleration(equivalence principle), compress or stretch spacetime locally, thereby modulating the transformation frequency of related space. This frequency suppression constitutes the fundamental mechanism of time dilation.

Section 10.Mass, Gravity, SU(3) and Higgs field in Quantum Field Theory:

Making Gauge Groups Visible — The Geometry Behind the Math

In standard quantum field theory, gauge groups like SU(3) are abstract mathematical symmetries. They work beautifully in equations, but they offer little physical intuition. In this section, the author strips away the mystery. SU(3) is not just a group—it is the mechanism that compresses local space while preserving spherical symmetry. That compression stores elastic energy as mass. The Higgs field is not an abstract symmetry-breaking ghost—it is a chiral lock, like a ratchet that keeps the compressed state from springing back. Gauge groups become geometry. The math is not replaced. It is given a physical home: the deformable network of space itself.

This Section primarily explores the possibility of mapping the abstract gauge groups and Higgs mechanism defined on Hilbert space to an intuitive geometric picture in real 3D space. In principle, quantum state transformations in Hilbert space originate from the interactions between adjacent quanta in physical space. Therefore, such a mapping from Hilbert space to 3D real space should be possible. That is to say, the gauge symmetry in Hilbert space actually corresponds to the Local interactions in the real 3D space.

10.1 SU(3) as the Origin of Mass Derivation

10.1.1 General Relativity establishes that gravitational fields manifest as metric perturbations→spacetime curvature.

10.1.2 Mass must therefore induce localized spacetime distortion→creating the observed gravitational potential.

10.1.3 This implies mass itself represents a condensed form of spacetime deformation →self-consistent with stress-energy sourcing curvature.

10.1.4 Within hadrons, quark-gluon dynamics are governed by SU(3) color interactions→the dominant force compressing SEQ network.

10.1.5 Thus, SU(3)-mediated compression of SEQ network → generates both quark confinement energy (mass) and external spacetime stretching (gravity).

10.1.6 Generalizing this mechanism→ equivalent effects (velocity/acceleration) anisotropically compress local space→inducing equivalent gravitational attraction via adjacent SEQ tension.

Note:The phase in SU(3):compression or stretching shift between SEQ.

10.2 U(1): Electromagnetic Interaction

10.3 SU(2): Adjustments of Rotational Axes , spin and encoding chirality in Charged Microscopic Particle Structural Matrices.Encoding Rotational chirality of Charged Microscopic Particle Structural Matrices as the Origin of Weak Interaction Symmetry Breaking. because the rotational Structural Matrices with different chirality have different coupling mode with the fixed chirality of SEQ's ground-state spin. Although SU(2) lacks a chirality modulation parameter, its definition as adjusting rotation axes and spin for charged particles with specific chirality intrinsically encodes chiral variables.

10.4 SU(3):

10.4.1 Imagine the 3D dynamic quasi-spherical matrix structure of quarks as a multi-layered and multi-axial rotational configuration. Due to the high-energy concentration within the structure, the SEQ

within the structure remain in a dynamic equilibrium of compression or stretching, while the interactions between layers also maintain a dynamic equilibrium of compression or stretching.

10.4.2 Fractional quark charges emerge from stratified SEQ layers in proton/neutron matrices, with 2/3-charged quarks occupying twice the layers of 1/3-charged quarks. The multi-layered structure well explains the observed differences between high-energy(uniform angular distribution) and medium-energy regimes in electron-proton scattering experiments.

10.4.3 The color property of quarks corresponds to the long axis of their dynamic structural matrix, specifically the axis with the highest energy density distribution within the quark's structural configuration. The color neutrality of protons and neutrons corresponds to the global spatial symmetry, the isotropy of the electric field (protons)and structural stability exhibited by their spatial structural matrices.

10.4.4 Antiquarks correspond to the handedness reverse representation of structural matrix rotational transformation of their corresponding quarks.

10.4.5 The 8 generators of SU(3) correspond to 8 distinct interactions mediated by different gluons dynamics manner. Among them, the 6 non-diagonal matrices represent combinations of color exchange operations, stretching and compression phase transformations with phase variations(3*2); while the 2 diagonal matrices correspond to scaling transformations across the three color dimensions. These gluons and their 8 distinct interaction types operate within the interlayer regions of the multi-layered structural matrices of protons or neutrons.

The dynamic color exchange corresponding to the generators of SU(3) and the three-dimensional color distribution modulation are fundamentally linked to the translational action of gravity. Therefore, the color modulation and exchange interactions of SU(3) could constitute one of the origin of mass.

10.4.6 Gluons mediate compression and tensile stresses between quarks or interlayer SEQ. Gluons can be understood as a kind of quasi-structure of highly condensed SEQ, akin to a rotational high-density array of springs.

10.4.7 Quark asymptotic freedom and color confinement originated from nonlinear variations in compression-tensile tensions among SEQ.

10.4.8 The three-quark point-like configuration inherently fails to achieve spatial symmetry, contradicting the observed spherical charge distribution of protons, whereas this hypothesis of a layered arrangement in a quasi-spherical structure of up and down quarks within the proton offers a more plausible explanation for the integer charge of the proton and the isotropic nature of the electric field as well.

10.4.9 The discrepancy in the proton's g-factor from theoretical models stems from an underestimation of the gluon field's spinor contribution. If the effect of the rapidly rotating gluon field were properly accounted for, this deviation would significantly diminish. Moreover, the conventional three-point-quark distribution framework fundamentally cannot accommodate a proportionally substantial gluon field spinor component. The layered structure proposed in this model presents a viable architectural framework worthy of serious consideration.

10.5 How SU(3) Generators Mediate Mass Formation

They compress local space while performing 3D modulation, axis transformations, and compression-phase adjustments to ensure the compressed space remains approximately spherically symmetric. As a result, the gravitational field generated by mass (the stretching of external space due to local compression) is also spherically divergent, guaranteeing the isotropy of mass-induced gravity. The physical picture is now clear.

10.6 The essence of mass is the storage of gravitational (spatial elastic) potential energy under the interaction of SU(3) corresponding to the compression of space.

10.6.1 Dimensional analysis dictates that the relationship between mass and energy must satisfy $[E]/[m][v^2]$, with the proportionality coefficient determined by the fundamental constants of spacetime (the speed of light, c).

10.6.2 The compressed potential energy of mass in localized space is inherently mainly released as gravitational waves with radiation, which propagate at speed c , thus directly yielding $\Delta E = \Delta m c^2$.

10.7 Complementary Role of the Higgs Field: Symmetry Breaking and "Locking" Mechanism:

10.7.1 The Higgs field plays a crucial yet subtle role in this framework by acting as a stabilizing "quantum chiral lock" that preserves the compression effects mediated by the SU(3) gluon field on the local SEQ network. While the SU(3) color force actively compresses the local space to generate mass-energy through spatial deformation, the Higgs mechanism serves to maintain this compressed configuration in a stable equilibrium state. This locking function is particularly vital for quark confinement, as it prevents the rapid dissipation of the gluon field's compressive energy that would otherwise lead to deconfinement. The Higgs field's symmetry-breaking properties thus complement the SU(3) compression mechanism by providing an additional interaction of stability to the mass-generating structure. In essence, if the SU(3) mediated compression is likened to a tensed spring storing potential energy, the Higgs field acts as the catch mechanism that keeps the spring compressed, ensuring the persistence of the mass effect. This dual mechanism - active compression by color forces and passive stabilization by the Higgs field - offers a more complete picture of mass generation that bridges quantum chromodynamics with electroweak theory while remaining consistent with the discrete spacetime framework proposed in the paper. The interplay between these mechanisms may also help explain why certain particles (like quarks) exhibit both confinement and mass properties, while others (like leptons) primarily acquire mass through Higgs interactions alone (like a preloaded torsional spring energy storage combined with a ratchet). This aligns perfectly with the geometric intuition of the Higgs mechanism's "Mexican hat" potential, much like a rotary knob with a torsion spring or a ratchet that unidirectionally locks compressive energy.

This dual mechanism—where the QCD color interaction-SU(3) acts as a compressive spring system, while the Higgs mechanism functions like a preloaded torsional spring combined with a **ratchet** (enabling unidirectional energy storage while preventing reversal)- provides a vivid mechanical analogy for how fundamental particles maintain their mass stability in the quantum spacetime fabric. Just as a ratchet's teeth enforce unidirectional motion through asymmetric geometry, the Higgs' chiral coupling to the SEQ ground state spin with fixed chirality may similarly lock the gluon field's compressive energy in an metastable configuration.

10.7.2 Origin and Physical Picture of the Higgs Mechanism

In this model, the Higgs mechanism is fundamentally a synergistic effect of gauge fields (U(1), SU(2), SU(3)) rather than an independent field. The torsional-spring-like vorticity of the Higgs mechanism originates from the vorticity coupling of U(1), SU(2), and SU(3), while the ratchet-like locking arises from symmetry breaking induced by the fixed chiral spin of SEQ.

According to the model specification in Section 1.6, the spin degrees of freedom of SEQ and higher-level spinors are decoupled from the elastic bonds between SEQ and their sub-Planckian components in low-energy states. This decoupling mechanism naturally explains the vorticity disparity between the gravitational field (emerging from macroscopic SEQ network stretching) and the gluon field (originating from localized SU(3) compression of SEQ).

10.7.3 Therefore, quark confinement may arise from the combined effects of the Higgs field's quantum chiral lock and the nonlinear response of spatial elasticity(QCD).

10.8 A fundamental duality emerges between the SU(3)-driven compression of matter at quantum scales and the emergent gravitational field: The mass of hadrons arises from intense color-force compaction within subnuclear volumes, whereas gravity manifests as the coherent stretching of the finite SEQ fabric. This stark contrast in interaction ranges—from quark confinement to system-wide SEQ deformation—naturally explains the hierarchical strength difference between nuclear and gravitational forces.

In simple terms, the elastic coefficients and deformation ratios differ between the compressive phase (QCD) and the tensile phase (gravity). The deformation of gravity is distributed across the entire space, whereas QCD's deformation is more localized. This difference leads to the distinct energy scales of QCD and gravity.

10.9 In nuclear reactions, the release of kinetic energy primarily corresponds to the elastic potential energy-kinetic energy of the QCD dynamic spring array, while the breaking of the Higgs mechanism mainly releases stored Fermionic Spinor energy-akin to torsional spring energy storage in the form of radiation. This explains the energy type distribution in nuclear reactions and the radiative phenomena in QED.

A Hypothetical Qualitative Analysis:

In light-nuclei fusion reactions (e.g., D-T fusion), the simple nuclear structure and low mass of light nuclei result in a relatively minor contribution from the "spinor-twisted spacetime structure" (analogous to a torsion-spring energy storage mechanism) induced by Higgs field coupling. Consequently, the proportion of radiative energy release in total reaction energy remains notably small. In contrast, heavy nuclei (e.g., ^{235}U) possess significantly higher nucleon number density, wherein the Higgs-mediated spinor distortion effects become more dominant. This leads to a markedly increased share of radiative energy release through β -decay chains during fission processes. The observed disparity may reflect enhanced synergy between Higgs field and QCD confinement potential in heavy nuclear structures.

10.10. Kerr spinor , Einstein-Cartan Spinor and Higgs Mechanism

According to my personal understanding, the tensor description in standard General Relativity (GR) represents the compression and stretching of space in different directions. In fact, the synthesis of such compression-stretching tensors across different directions can generate structures similar to spinors, and the Kerr metric is essentially doing this kind of work.

On the other hand, ECT (Einstein-Cartan Theory) directly introduces a spinor-defined connection corresponding to SEQ spin in this model.

In other words, the Kerr metric can be expressed using the tensors of standard GR, while the spinors in ECT are defined separately as part of the connection, and this connection can in fact be directly applied to the quantum spinor in quantum field theory.

However, my understanding is that in order to unify General Relativity with quantum field theory, at the quantum level, SEQ spin must decouple from spatial elasticity(Section1); otherwise, mutual interference would contradict observed phenomena. Of course, ECT should mainly define the coupling between quantum spin and spatial tensors under high-energy conditions, while in low-energy states, it should still exhibit a behavior similar to such a decoupling.

From the perspective of my personal proposed model, the combined effect of the Kerr metric and ECT actually corresponds to the essence of the Higgs mechanism, making it easier to describe how spatial spinors and fixed-chirality quantum spin lock spatial compression or stretching.

The Higgs mechanism is akin to a chiral screw cap with a fixed handedness: only rotation in a specific direction can tighten and form a stable configuration, while reverse rotation fails to lock or sustain stability. This unidirectional locking behavior mirrors a "quantum chiral lock" — where the Higgs field couples selectively to the ground-state spin of Space Elementary Quanta (SEQ) with definite chirality, thereby stabilizing the structural matrix of matter particles while inducing intrinsic instability in that of antiparticles.

Section 11. What Particles Really Look Like — Layered Structures

Thoughts on the 3D Spatial Arrangement Matrix of Microscopic Particles

In standard physics, elementary particles are treated as point-like or as excitations of quantum fields with no internal picture. In this section, the author proposes something different: particles have real, layered structures made of SEQ. The electron's spherical symmetry and half-integer spin emerge from a multi-layer, multi-axis rotating configuration. Quarks carry fractional charges because they occupy numbers of layers within protons and neutrons. Different fermion generations correspond to different numbers of shell layers. Neutrino oscillation arises from phase shifts between layers during motion. The neutron's vanishing electric dipole moment is not fine-tuning—it is a geometric necessity of its layered symmetry. Particles are not points. They are tiny machines made of space.

11.1. Spatial Arrangement Matrix Representation of Electrons

To ensure the observed spherical symmetry of the electron's electric field, its structure must comprise at least four or more SEQ in a 3D (possibly multi-layered) configuration. Additionally, the electron's structural matrix may undergo rapid multi-axis rotation. Estimates based on electron mass suggest this matrix contains a large number of SEQ.

11.2. Representation of Electric Charge

Electric charge may correspond to the intrinsic multi-layered, multi-axis rotational dynamics of the structural matrix governing microscopic particles. All electric charged microscopic particles are embedded with analogous substructures.

11.3. Fractional Charges of Quarks

Fractional charges cannot exist in isolation but depend on SU(3)-mediated collective effects of quark confinement. The underlying mechanism suggests that when gluons between quarks disintegrate, the quarks must either likewise disintegrate or undergo reintegration.

11.4. Annihilation and Decay of Microscopic Particles

The annihilation or decay of microscopic particles fundamentally arises from the disintegration or reintegration of their spatial structural arrangement matrices.

11.5. Mechanism Analysis of Positron and Other Types of Antiparticle Scarcity

The intrinsic spin of an electron is essentially the orbital rotation of SEQ in the electron's structure around the electron's center.

Positron and other types of Antiparticle scarcity emerges from their interaction with the fixed-chirality ground-state spin of SEQ, inducing instability of their structural matrices, a mechanism that simultaneously explains parity violation.

11.6. Geometric Intuition for the Half-Integer Spin of Electrons

It is imaginable that the spin axis of an electron undergoes a flipping motion, with the flipping period synchronized with the spin period. This would allow for a 4π reset, while also providing a geometric intuition for the SU(2) double covering of SO(3). In fact, this combination of spin and axis-flipping corresponds to the mechanism required to explain the spherically symmetric and divergent electric field of the electron.

SU(2) double covers SO(3), meaning that the double covering is a homomorphism where the preimage set contains twice as many elements as the image set. My intuitive understanding of this is in terms of a "double rotational degree of freedom". This double rotational freedom could be interpreted as a combination of spin and axis rotation. How can a 4π reset be realized? When the spin period and the axis-flipping period are synchronized, a reset after two flips of the axis corresponds precisely to a 4π spin reset.

This geometric intuition is consistent with the observed physical phenomena.

11.7. The Nature and Origin of Lepton Mass

In this model, the electron possesses an internal structure, and its spin arises from the field excitation of this structural rotation. Such a spinorial field excitation can distort spacetime, while the near-light-speed tangential velocity of the electron's rotation corresponds to a spatial twist that generates a spherically divergent gravitational field. The mass of the electron is fundamentally the result of the external spacetime stretching—manifested as a gravitational field—induced by this rotating spinorial distortion. This can equivalently be understood as the inertial mass described by relativity.

From this perspective, the electron mass calculated in this theoretical model is inherently inertial mass, and the speed-of-light constraint applies equally to the tangential excitation wave velocity at the electron's surface. Under this understanding and constraint, recalculating the electron's radius yields a self-consistent result where the tangential velocity never exceeds the speed of light.

The flaw in traditional theoretical calculations lies in their presupposition that the electron's mass is rest mass, thereby underestimating the relativistic inertial mass. This leads to an overestimated radius and, consequently, a paradoxical derivation of superluminal tangential velocity. In contrast, this model eliminates the paradox: the electron's rest mass approaches zero, is not governed by chromodynamics, and is instead dominated purely by the dynamic spinorial field excitation of the Higgs mechanism—an inertial mass framework free of contradictions.

In this model, what is termed as rest mass originates from the radial compression and stretching mediated by QCD. In contrast, the mass of the electron arises primarily from a non-radial spatial distortion. This distortion is a synthesis of a Kerr-metric-corresponding rotational collective excitation and the fixed chiral spin of the SEQ—driven by the Higgs mechanism. Although its gravitational field exhibits a quasi-spherical divergence, its underlying mechanism is distinct from the radial one.

The Higgs field plays a dual role: it not only acts to lock the radial elastic potential energy mediated by QCD in baryonic mass formation, but also possesses an intrinsic torsional-spring-like character (manifesting

as a relativistic effective gravitational field effect), which serves as the primary mechanism for lepton mass generation.

11.8. The Structural Origins of Fermion Generations and Neutrino Dynamics

Within this framework, fermions of different generations correspond to dynamic SEQ structural matrices with varying numbers of shell-layers. The specific phase relationships of SEQ resonance between these shells constitute the fundamental mechanism determining whether a fermion carries a net electric charge—neutrality arises from a precise cancellation of phases across shells. Concurrently, the total number of SEQ constituting these matrices and their specific spatial configurations (e.g., number of shells, arrangement) directly account for the significant mass disparities observed across generations.

Based on this physical picture, decays and transformations between different fermion generations can be understood as the disintegration and reconfiguration of these shell-layer structures.

The essence of neutrino oscillation lies in the fact that, under the condition of a basically invariant dynamic structural matrix (mass eigenstates stable), the phase configuration across its structural layers evolves due to motion-induced phase differences, leading to varying interactions with electrons; the flavor of a neutrino is fundamentally determined by the overall phase configuration among its layers.

11.9. The Neutron Electric Dipole Moment Problem

The experimentally measured electric dipole moment of the neutron is far below the theoretical upper limit predicted by the point-like quark model, approaching zero. This observational fact is difficult to explain intuitively within the framework of the Standard Model of Quantum Field Theory (QFT). However, within the shell-layer structure of microscopic particles postulated by this model, this puzzle can be readily resolved:

- **Origin of Electric Neutrality:** The overall electrical neutrality of the neutron originates from the inter-layer-phase coherence mechanism between its internal quark shells carrying different charges, constituting the overall apparent charge.
- **Guarantee of Zero Electric Dipole Moment:** The electric dipole moment directly measures the separation degree between the positive and negative charge centers. The multi-layered quasi-spherical symmetric configuration of this model, by its geometric nature, determines that the centers of each layer are nearly overlapping. This intrinsic, extremely high symmetry, determined by the fundamental structure, in principle forbids the emergence of a significant permanent electric dipole moment.

Therefore, the neutron's electric dipole moment being nearly zero is not the result of accidental "fine-tuning," but rather an inevitable geometric attribute of its being a multi-layered SEQ structure. This provides a new approach to solving the strong CP problem, beyond traditional field theory paths.

Section 12. The Elusive Graviton — A Sub-Planckian Spring

Quantum Gravity, Graviton and Space Elastic Response Frequency

In quantum gravity theories, the graviton remains an elusive concept. In this section, the author offers a different picture. Gravity is not carried by a special particle. It emerges from the elastic response of the sub-Planckian components that fill the space among elementary quanta. These components are not themselves quantized at the Planck scale—they are a deeper, continuous-like elastic substrate. When a region of space is compressed, the surrounding substrate stretches. That stretching is gravity. When we detect gravitational waves, we are sensing the deformation of this deepest layer of space. The elusive "graviton" is not a quantum in the usual sense. It is a substrate of elastic deformation within the sub-Planckian scale that permeates the entire spatial network.

12.1 Gravity fundamentally stems from its mediation by elastic bonds(sub-Planckian constituents) between SEQ rather than direct SEQ interactions.

12.2 When the resonant frequency of SEQ significantly exceeds the **elastic response frequency** of inter-SEQ bonds, gravitational field mediation does not encode SEQ's spectral fingerprints.

12.3 The method of gravitational wave frequency detection implies that the detected frequency range should fall within the spatial elastic response frequency range. As our understanding of gravitational wave frequencies expands, so too will our knowledge of the spatial elastic response frequency range.

The sub-Planckian spacetime constituents mediating gravitational interactions may correspond to the graviton, as they are the fundamental units responsible for conducting spatial elasticity and gravitational effects.

Section 13. Geometry as Quanta Frequency — Bridging GR and QFT

General relativity describes space as curved geometry. Quantum field theory describes particles as vibrations of quantum fields. These two languages seem incompatible—one is about smooth shapes, the other about discrete quanta. In this section, the author proposes a bridge: the geometry-frequency mirror. Any deformation of space—compression, stretching, or twisting—directly modulates the resonance frequency of the elementary quanta in that region. Curved space is not an abstract metric. It is a measurable shift in frequency. This single principle connects GR and QFT under one roof. But there is a deeper consequence. In this model, the Hamiltonian—the mathematical object that governs time evolution—is not a complex operator. It is a snapshot: the instantaneous energy distribution across the entire spatial network, like a weather map of the universe. Each quantum contributes its resonance frequency and axis direction. Because energy only flows from higher-energy quanta to lower-energy neighbors, this single panoramic snapshot contains all local energy gradient information. That means it fully determines every possible system update at the next moment. Multiple paths may be allowed—hence quantum probability—but no hidden information is missing. The Hamiltonian as an energy landscape photograph is simple, complete, and unites general relativity with quantum field theory.

In this section, we will show that all the geometric-dynamic effects associated with the time component in general relativity can be fully represented by the scalar frequency field of this three-dimensional harmonic oscillator system and its gradient. The temporal geometry in the 4D formalism of general relativity corresponds precisely to the frequency gradient distribution of the spatial sites in 3D space.

Hamiltonian form is essentially a distribution function of total system energy. Modern phase space abstraction obscured this intuition. This model restores Hamilton's original insight: Hamiltonian as a panoramic snapshot of spatial energy distribution.

In the 1830s, the Irish mathematician William Rowan Hamilton proposed a new formulation of classical mechanics. Unlike Newton's description in terms of forces and accelerations, Hamilton described a system's state using two variables—generalized coordinates and generalized momenta—while a function called the Hamiltonian gave the total energy of the system. At the time, this formulation had an extremely intuitive physical meaning: the Hamiltonian was simply the expression of the system's energy distribution in space. If you knew the position and momentum of every particle, you could compute the total energy. This was essentially an "energy distribution snapshot."

But subsequent developments in physics took an abstract path. The Hamiltonian formalism was introduced into statistical mechanics, quantum mechanics, and field theory. Phase space—the abstract space spanned by generalized coordinates and momenta—replaced intuitive three-dimensional space. In the language of symplectic geometry, the Hamiltonian formalism became elegant and powerful, but also increasingly unintuitive. Contemporary physicists accept the Hamiltonian formalism as a standard tool, yet rarely pause to ask: what does this abstract mathematical formalism physically represent?

This section provides an answer that returns to Hamilton's original insight. In this framework, space itself is the sole ontological reality—all physical phenomena are redistributions of energy within this spatial reality. Matter, fields, particles, and charges are all manifestations of different excited states of space. Therefore, the

"state" of any physical system is essentially the distribution of energy carried by each Space Elementary Quantum in space.

Under this ontology, the meaning of the Hamiltonian becomes remarkably transparent. Section 13.12 of the paper gives a straightforward expression: $H(\omega_i, n_i) = \sum K(\omega_i, n_i) + \sum U(\omega_i, n_i)$. Here, ω_i is the resonant frequency of each Space Elementary Quantum, and n_i is the direction of its resonance axis. The Hamiltonian carries no mysterious abstract meaning—it is simply a panoramic snapshot of the spatial energy distribution at the current moment. Just as a meteorologist looks at a satellite cloud image to understand the global pressure distribution, a physicist looking at this Hamiltonian can see the entire spatial energy configuration: which regions have high energy (compressed states), which regions have low energy (stretched states), and where the energy gradients point (determining the next direction of energy flow).

More importantly, this "snapshot" already contains all the information about the system's future evolution. Under the dynamical rules of this paper's framework (energy flows from high to low, following the maximum entropy path), the current Hamiltonian configuration determines the Hamiltonian configuration at the next moment. This is entirely consistent with the standard conclusion of Hamiltonian mechanics that "the Hamiltonian is the generator of time evolution," but provides a more intuitive physical picture: evolution is not a mysterious trajectory moving through abstract phase space, but rather the spatial energy distribution rearranging itself through a series of discrete steps.

This return has dual significance. For the Hamiltonian formalism itself, it reveals the physical intuition obscured during abstraction—the Hamiltonian is not some esoteric mathematical object, but simply an energy distribution map. For this paper's model, it provides a concise mathematical entry point: by focusing on just two generalized coordinates for each Space Elementary Quantum (resonant frequency and axis direction), one can construct the entire system dynamics without requiring additional geometric descriptions.

In summary, the Hamiltonian formalism has been intimately connected with the concept of "energy distribution" since its inception. While the abstraction of modern physics has given it more powerful mathematical capabilities, it has also come at the cost of intuitive clarity. This paper, by reinterpreting the Hamiltonian within a spatial realist framework—as a panoramic snapshot of spatial energy distribution—completes a return to Hamilton's original insight. This is not a rejection of the contemporary Hamiltonian formalism, but a clarification of its physical meaning: every trajectory in abstract phase space corresponds to a real energy redistribution in three-dimensional space.

In Section 4, we discussed the action and mentioned that spatial deformation corresponds to frequency modulation. In this chapter, we will further explore this topic. Furthermore, the subsequent mathematical formalization of this model does not require a specific characterization of spatial deformation. Instead, it maps spatial deformation onto the corresponding region's frequency domain of SEQ network while distinguishing between compression phases, stretching phases, and twistors. Frequency modulation is used to characterize spatial deformation and potential energy changes.

13.1. Frequency Modulation as an Essential Description of Spatial Deformation

- The model suggests that any metric change in space, such as curvature caused by gravitational fields, modulates the resonant frequency of SEQ. Compression and stretching phases influence frequency domain modulation through asymmetric elastic coefficients. This frequency modulation directly encodes the geometric information of spatial deformation, eliminating the need for additional Riemann geometry descriptions.
- The traditional concept of potential energy terms (gravitational, electromagnetic, or quantum field potentials) is reinterpreted as frequency modulation of SEQ resonance. For instance, a decrease in gravitational potential energy corresponds to a frequency domain offset, while the release of potential energy manifests as dynamic modulation restoring the frequency to its high-frequency ground state. This mapping enables a unified frequency-domain representation of the metric field in general relativity and potential energy terms in quantum field theory.

- **Entropy Increase Rate:** In addition, since the conduction frequency within a local space directly determines the local entropy increase rate of the system, there also exists a dualistic modulation mechanism between space geometry deformation and the rate of entropy increase. This relationship is self-consistent and analytically derivable under the SEQ quantized space model.

Simplified Pathway for Mathematical Formalization:

13.2. Classification of Spatial Deformations: First, classify spatial deformations into 4 types (specific classifications can be refined based on future research):

- Stretching Phase
- Compression Phase
- Left-handed Twistor
- Right-handed Twistor

Since the model assumes that SEQ have a fixed chirality spin in their ground state, the frequency modulation caused by left-handed and right-handed twistors is not entirely symmetric. Based on QCD and cosmological observations, the elastic coefficients and frequency modulation of space should be nonlinear functions. Therefore, according to existing QCD, electromagnetism, and cosmological observations, preliminary modeling of the operator functions for these 4 deformations to SEQ frequency modulation can be established. Embedding these operators into the action function or other equations allows the analytic expression of action from Chapter 4 to represent the modulation of transmission frequency due to deformation.

13.3. Construction of Discrete Functional Framework

By defining the local frequency response function of the SEQ network, continuous spatial deformation can be transformed into a parametric problem on discrete frequency lattice points. This model converts the geometrical dynamics of spatial tensor-twistor deformation into frequency dynamics, providing a new mathematical framework for unifying gravity and quantum theory. Its formal simplicity may offer new tools for physics. Future research should focus on developing specific algorithms for discrete functional equations and establishing mappings with parameters of the Standard Model. However, it should be noted that the specific mathematical modeling of this discrete model depends on the adjacency topology of the space SEQ network, which remains undetermined at present. Therefore, the mathematical phenomenological fitting is only approximate.

13.4. Generalized Coordinates in This Model:

Preliminary Discussion on the Lagrangian and Hamiltonian Analytical Mechanics Framework Based on This Model:

In the topologically homeomorphic space field of this quantized elastic spacetime model, each SEQ (Space Elementary Quantum) has a fixed spatial coordinate and fixed adjacency relations. The generalized coordinates of each SEQ are its **resonance frequency and resonance axis vector** (ω_i , $\mathbf{n}(\mathbf{i})$). These two quantities, combined with the dynamic structural matrix of matter, can generate physical quantities such as mass, momentum, velocity, acceleration, force, kinetic energy, and potential energy—all expressed as polynomials of the generalized coordinates or their differentials (partial derivatives or integrals). Based on this framework, conservation equations can be constructed.

13.5 Under the topologically homeomorphic setting, the spatial coordinates of each SEQ serve as its structural label and constitute important topological invariants. These coordinates remain fixed during dynamical evolution (i.e., they do not change over time), and therefore are not subjected to time differentiation. Nevertheless, they play a crucial role in constructing conservation equations, such as defining local gradients and adjacency relations. Hence, they should be regarded as background structural parameters rather than components of generalized coordinates.

13.6 **Mass,** Mass represents a spatial compression state that cannot be characterized by a single SEQ. Instead, it requires a local description in terms of the local spatial compression rate — the degree of deformation, which can be quantitatively expressed as the average frequency shift within that local space. Frequency directly reflects the extent of spatial deformation.

Since this model does not incorporate the conventional concept of volume, the notion of compression is inherently tied to the topologically homeomorphic SEQ network. Whether compressed or not, the structure remains a SEQ grid, and thus, spatial compression must be described through either:

A general relativistic tensor representation of the compression rate, or

The average resonance frequency of the SEQs contained within the mass-bearing object, which captures the spatial deformation effect.

Therefore, mass can be effectively represented by the number of SEQs within the object and their collective resonance frequency. This leads to the following formulation:

$$m = K \times N \times (\omega_p / \bar{\omega})$$

where:

- m : mass
- K : a dimensional conversion constant (can be dimensionless or carry traditional mass dimensions)
- N : number of SEQs contained in the mass-bearing object
- $\bar{\omega}$: average resonance frequency (relative to Planck frequency shift)
- ω_p : Planck frequency
- $(\omega_p / \bar{\omega})$: represents the degree of spatial deformation

13.7. Force — Next, we discuss $F = ma$. Acceleration can be understood as the rate of change of spatial deformation gradient between a mass-bearing object and its external environment. This gradient of deformation induces the object to maintain structural synchronization during acceleration, resulting in additional spatial deformation — compression at the front end of acceleration and stretching at the back end. In this framework, m represents the structural response barrier (mass), and F is the deformation action required to induce an additional gradient of spatial deformation in an object of mass m . The essence of $F = ma$ is: in order to cause a change in the spatial deformation gradient (acceleration) of an object that possesses a structural response barrier (mass), a corresponding deformation action (force) must be applied.

13.8. Other Conceptual Constructions of Classical Physical Quantities — The following are only examples and not strict mathematical formalizations:

Starting from the perspective of spatial deformation — local frequency duality, we define the phase $\phi = \Delta\omega / \omega_0$, where $\Delta\omega$ is the local frequency shift and ω_0 is the reference frequency. From this, we construct the wave vector $k = \nabla\phi$. Then, we define momentum of generalized coordinate-SEQ Frequency as $p = \hbar k$, where $\hbar$ is the reduced Planck constant, $\hbar = h / (2\pi)$.

The resonance frequency and resonance axis vector of each SEQ — which are the generalized coordinates — correspond to two different sets of analytical expressions for generalized momentum. The generalized momentum of the SEQ resonance axis needs to be further developed in future work. According to this model, the direction of the SEQ resonance axis depends on the adjacency configuration, which is discrete and finite, thus making the direction quantized as well.

In the analytical expression of the generalized momentum of the SEQ resonance frequency as a generalized coordinate, the reduced Planck constant $\hbar$ is not used to characterize the quantization of angular momentum, but rather to describe phase quantization in the harmonic oscillation of SEQ (this is only a conceptual analysis tool — the actual phase variation may not necessarily be quantized). This allows for a formal description of the phase gradient between matter and its surrounding SEQ in the process of material wave formation.

Velocity is then defined as $v = p / m$, acceleration as $a = dv / dt$, force as $F = dp / dt$, and so on.

13.9 In this model, the spatial field is a topologically homeomorphic structural field, and the motion of matter corresponds to the propagation of excitation waves on this field. Therefore, when constructing conservation equations, they may differ from the traditional conservation equations in analytical mechanics, but they should be able to derive equivalent forms corresponding to the classical ones. Here, I can only propose a rough framework, and the specific rigorous mathematical formalization likely still requires the work of professional physicists to complete.

Although Einstein adopted the geometric description based on the metric tensor in his General Relativity, he had already noticed the significant influence of gravity on light frequency shifts. The

'Deformation-Frequency Equivalence Principle' proposed in this paper can be regarded as a continuation of this unification vision—it reinterprets the variation of spacetime tensor structure as a frequency modulation process of SEQ, thereby establishing a new unified descriptive paradigm between the microscopic and macroscopic scales.

Deriving a metric-quantum frequency function from cosmological gravitational redshift measurements and QCD-level interactions could establish a functional mapping($\omega_{\text{QFT}} = f(g_{\mu\nu})_{\text{GR}}$) between GR's spacetime geometry and QFT's quantum observables, offering a mathematically tractable and empirically testable tool for unifying gravity and quantum theory.

13.10. Hamiltonian, Schrödinger Equation, and General Relativity Equations from the Perspective of This Model

13.10.1 From the perspective of this model, the Hamiltonian is an energy function defined in terms of the generalized coordinates (resonance frequency and resonance axis vector of Space Elementary Quanta, SEQ) and their corresponding generalized momenta. It fully characterizes the current local spatial configuration of energy distribution and acts as the generator of time evolution, determining the subsequent energy distribution and its evolutionary trend at the next moment. In this framework, the traditional notions of kinetic and potential energy terms are both manifested as different modes of frequency modulation of SEQ. The so-called "potential energy" fundamentally arises from elastic potential energy associated with spatial tensor deformations or twistor structures.

13.10.2 Schrödinger Equation: In this model's interpretation, the Schrödinger equation describes how the current energy distribution, along with its gradients—such as phase gradients (encoded in the Hamiltonian)—determines the probabilistic evolution of the next moment's energy distribution and its gradients. The origin of probabilistic randomness lies in the non-uniqueness of maximum entropy paths within the system's dynamical evolution. Thus, quantum probability emerges not from intrinsic indeterminism, but from the multiplicity of valid pathways that satisfy thermodynamic and variational principles under constrained initial conditions.

13.10.3 Einstein's field equations of General Relativity—the metric tensor equation—and the geodesic equation essentially describe the same class of evolutionary dynamics as the Schrödinger equation: namely, that the present state of energy distribution and its gradient determines the future path of energy distribution evolution. The difference lies only in the encoding language: General Relativity formulates this law geometrically through spacetime curvature and affine connections, while the Schrödinger equation expresses it through quantum phase dynamics and probability amplitudes. Despite their distinct mathematical formulations and interpretive frameworks, both reflect a unified underlying principle—the causal propagation of energy configurations governed by extremal principles such as least action and entropy increase.

13.11 Due to the topological invariance of the spatial field in this model, the spatial coordinates of each field quantum are fixed (the space may deform, but the connectivity and adjacency relations remain unchanged). Each Space Elementary Quantum (SEQ) carries only two generalized coordinates: the field quantum resonance frequency (associated with field quantum spin and mutual spin synchronization, representing elastic potential energy at sub-Planckian elastic scales) and the field quantum resonance axis vector, denoted as $(\omega_i, \mathbf{n}(\mathbf{i}))$. Consequently, the Hamiltonian formulation of this model is simpler, more intuitive, and more consistent with the physical process of energy redistribution and energy gradient configurations than those of traditional quantum field theory or general relativity, while naturally preserving global energy conservation and embedding thermodynamic arrow of time.

Since the model is based on the fundamental assumption of spatial topological invariance, the physical picture associated with its Hamiltonian is exceptionally clear: it essentially represents an instantaneous snapshot of the energy distribution (similar to a weather snapshot). Within this framework, the physical meanings of the Schrödinger equation and Einstein's general relativity (GR) equation can be interpreted in a more intuitive and transparent manner.

13.12. In This Model, the Hamiltonian form Is Essentially a Panoramic Snapshot of the Energy Distribution:

$$H(\omega_i, \mathbf{n}(\mathbf{i})) = \sum \text{SEQ}_i K(\omega_i, \mathbf{n}(\mathbf{i})) + \sum \text{SEQ}_i U(\omega_i, \mathbf{n}(\mathbf{i}))$$

where:

- **$K(\omega_i, \mathbf{n}(\mathbf{i}))$** : The energy transport capacity determined by the frequency gradient and directionality (kinetic-like).
- **$U(\omega_i, \mathbf{n}(\mathbf{i}))$** : The energy storage arising from spatial elastic deformation or gauge coupling (potential-like).

Here we propose a hypothesis: the spatial distribution of potential energy $U(\omega_i, \mathbf{n}(\mathbf{i}))$ may determine the orientation of the resonant axis in space.

In this framework, the system's state vector is defined by a snapshot of the energy distribution configuration at a given moment. This snapshot inherently encodes the energy structure described by the Hamiltonian. Its time evolution is governed by two intrinsic dynamical principles (Section 3):

- An energy conduction triggering mechanism based on local energy gradients;
- A tendency to select paths of maximum entropy production.

Since the maximum entropy path is generally not unique, the system explores multiple near-optimal evolutionary paths in parallel at the Planck-time scale. These paths form a statistical weight distribution—this is precisely the physical origin of the squared modulus of the quantum probability amplitude, $|\psi|^2$.

Such a Hamiltonian form and the panoramic energy distribution snapshot it embodies, in principle, offer the possibility of reconstructing the metric tensor and geodesic equation of general relativity (GR) from this microscopic foundation. Specifically:

The metric tensor $g_{\{\mu\nu\}}$ can emerge from the effective geometry defined by the spatial gradient of the SEQ resonance frequency ω_i and the topological correlation of the resonance axis vectors $\mathbf{n}(\mathbf{i})$, reflecting the previously mentioned frequency–geometry duality:

$$\omega\_QFT = f(g_{\{\mu\nu\}})\_GR$$

As established in Chapter 14 of this model, electromagnetic waves are transverse resonance-spin coupled excitations propagating on the SEQ network. The photon is not an entity separate from the SEQ; it is the SEQ itself, and its frequency is precisely the resonance frequency ω of the excited SEQ. Meanwhile, the gravitational redshift effect of general relativity—a phenomenon rigorously verified by astronomical observations for nearly a century—is physically equivalent to: a photon's frequency shifts as it propagates through a gravitational potential well, i.e., as a function of spacetime curvature.

Combining these two points with the mirror formula $\omega\_QFT = f(g_{\{\mu\nu\}})$ yields a direct corollary:

The general relativistic gravitational redshift formula is precisely the macroscopic observational manifestation of this model's "geometry-frequency mirroring" principle. They are not an analogy between two independent theories, but rather two equivalent descriptions.

In Einstein's language, spacetime curvature causes redshift. This model goes one step further: it asserts that the physical content of spacetime curvature is the inhomogeneous distribution of SEQ frequencies in space. Gravitational redshift is not merely a case of "frequency being affected by curvature"; rather, the observable part of curvature is fully encoded in the spatial gradient of SEQ frequencies—any frequency modulation by curvature is simply a restatement of this same gradient.

The geodesic equation may correspond to the macroscopic continuous limit of the maximum entropy path selection principle and minimum action path selection.

From the perspective of an energy-distribution snapshot, both the Hamiltonian and the system's evolution are transparent in this model; turning this insight into a practical toolkit, however, demands implementing hierarchical coarse-graining and renormalization—a route whose first exploratory steps will be sketched in Section 15.9.

However, rigorously constructing this bridge involves advanced tools from differential geometry, statistical mechanics, and field theory. Therefore, its full development is best undertaken by a collaborative team of professional physicists.

Section 14. Electromagnetic Waves — Back to Maxwell's Original Vision

Preliminary Exploration of the Electromagnetic Interaction Physical Picture: A GR Reformulation of Electromagnetic Interactions Within the Quantized Elastic Spacetime Framework

Modern textbooks present electromagnetism through abstract fields and potentials. But James Clerk Maxwell originally imagined electromagnetic waves as disturbances in a physical vortex medium. In this section, the author returns to that intuition. Within the SEQ framework, an electromagnetic wave is a coupled excitation: resonance of elementary quanta generates an electric field, and the orthogonal twist of their spin generates the magnetic field. The two sustain each other. The wave propagates through the elastic spatial network at the speed of light—not because of a chosen constant, but because that is the maximum propagation speed of the network itself. The explained magnetic field of moving charges forms toroidal rings around the motion direction, matching experimental observations. This is not a mathematical trick. It is a physical picture consistent with both Maxwell's original vision and modern experiments.

The following discussion may not be rigorous or entirely accurate but represents an attempt to describe the electromagnetic interaction within the framework of this model.

14.1. Electromagnetic Waves

The SEQ resonance generates an electric field, which induces a spin magnetic moment orthogonal to the resonance direction. The spin and resonance of SEQ mutually excite and synchronize with each other. The phase of this magnetic moment aligns with the SEQ resonance phase. The SEQ resonance drives adjacent elastic bonds in the network. Given the model's assumption of symmetrically arranged elastic bonds around each SEQ, the resulting wave propagates spherically. Since the elastic bonds in the plane orthogonal to the resonance axis are more significantly perturbed, the transverse plane wave dominates.

The magnetic field of an electromagnetic wave fundamentally arises from the spatial twist (twistor) generated by SEQ spin. As noted in Chapter 1's foundational postulates, the twist induced by SEQ spin is decoupled from spatial elasticity in low-energy states. Thus, magnetic twist propagation relies on the electric field's propagation and cannot be mediated by sub-Planckian elastic components.

14.2. Closed Magnetic Fields of Charged Particles

In this model, all charged particles possess a dynamic quasi-spherical structure composed of SEQ. The electric field diverges spherically, while the resonance axes of the SEQ within the structure radiate outward from the center. Since the magnetic field is orthogonal to the electric field, the induced magnetic field must form closed spherical surfaces. Macroscopically, this results in a closed magnetic field topology.

14.3. Spin-Generated Magnetic Moment Mechanism

The twist-induced magnetic moment generated by the structural spin of charged particles and the SEQ spin magnetic moment are distinct concepts at different levels. Further work is needed to analyze the structural spin magnetic moment of charged particles.

14.4. Magnetic Field of Moving Charges

In an electron's structure, SEQ are spherically distributed, with their resonance axes radiating from the center. The electron's motion introduces spatial deformation along its acceleration direction, which reduces the resonance frequency of SEQ. The frequency suppression is most pronounced when the SEQ resonance axis aligns with the acceleration direction (smaller angle), weakening the induced magnetic field.

Due to the electron's high velocity and acceleration, frequency modulation effects are highly significant. When the SEQ resonance axis is perpendicular to the acceleration direction, the deformation projection is minimized, preserving the magnetic field response. Thus, only SEQ with resonance axes orthogonal to the acceleration direction contribute dominantly to the observed magnetic field, resulting in a toroidal (ring-shaped) field around the motion direction.

14.5. Theoretical Integration

This electromagnetic physical picture inherits the core ideas of Maxwell's vortex model while incorporating the SEQ framework. It synthesizes general relativistic effects and the metric-frequency mirror model, providing a microscopic explanation for electromagnetic wave generation and magnetic field formation within this paradigm.

Section 15. Discussion

15.1 Current Status of the Model and Directions for Mathematical Formalization

At present, apart from the multiplicative entropy proposed in Chapter 3, which possesses a relatively complete mathematical form (including the proof of the entropy increase theorem and its logarithmic correspondence with Boltzmann entropy), the remaining chapters of this model largely remain at the level of conceptual frameworks and geometric intuitions, and have not yet been developed into a rigorous and fully formalized mathematical theory.

Regarding the future direction of mathematical formalization for this model, we put forward the following fundamental position: provided that dispersive and dissipative effects are not taken into account, the established mathematical formalisms of General Relativity and Quantum Field Theory remain applicable for phenomenological simulations.

First, the gravitational interaction at the sub-Planckian layer in this model can be directly simulated using the 3D metric in the ADM (Arnowitt-Deser-Misner) formalism of General Relativity (GR), without the need to introduce additional mathematical structures. As a theoretical framework that has been proven highly successful by decades of experimental verification, GR's mathematical apparatus should be fully inherited and utilized.

Second, the correspondence between the gauge symmetry of Quantum Field Theory (QFT) and the adjacent interactions among quantum sites in 3D real space, as discussed in Chapter 10, is essentially the structure of fibers in the fiber bundle perspective. This part can likewise directly adopt the already well-established mathematical constructions of QFT, which have been proven successful through decades of physical practice.

Third, the geometry-frequency mirror function can be primarily constructed with reference to the well-established gravitational redshift formula of General Relativity, and then further calibrated and extended through broader fitting against cosmological light redshift observations, potentially yielding a comprehensive geometry-frequency mapping that bridges discrete SEQ dynamics and continuum spacetime geometry.

15.2 Core Stance of This Model: The Common Omission of Thermal Dissipation in GR and QFT

It must be particularly emphasized here that, from the perspective of this model, both General Relativity and Quantum Field Theory neglect thermal dissipation. Although they can approximately reproduce most physical phenomena with remarkable accuracy, if they are to be aligned with the ubiquitous thermal dissipation phenomena revealed by this model, corrections to the existing theoretical frameworks become necessary.

Specifically, following the energy-gradient-driven evolution rule of this model, the Schrödinger equation in quantum theory should be augmented with thermal dissipation terms. These dissipative terms encompass the dispersion-dissipation effects that inevitably exist in all spatial physical processes, including matter waves. Through the geometry-frequency mirror principle proposed in Chapter 13, these dispersion-dissipation effects can be further mapped onto the 3D metric relaxation in General Relativity.

15.3 Reexamination of the AB Effect and the Positioning of This Model

From the perspective of this model, and in conjunction with the mature geometric outputs of General Relativity, the Aharonov-Bohm Effect (AB effect) can actually be understood as a weak phase modulation resulting from the coupling between the quantum field and the metric field. This understanding provides a more intuitive physical picture for the AB effect, without requiring the introduction of additional topological interpretations.

In summary, the clear positioning of this model is as follows:

This model inherits and makes use of the already mature mathematical tools of General Relativity and Quantum Field Theory, and on this foundation advocates for the incorporation of thermal dissipation terms. This stance is not intended to replace or negate the existing frameworks of GR and QFT, but rather, by introducing dissipative mechanisms, to enable a more intuitive and unified understanding of a wide range of physical phenomena—from quantum decoherence to cosmological-scale evolution.

Section 16. Statement

This model may seem unusual, but its core ideas did not appear from nowhere. In this section, the author explicitly acknowledges the intellectual lineage.

While this framework provides a physical picture of discrete spacetime (SEQ network) and its interaction with QCD/Higgs fields, it currently does not include a fully formalized discrete generalization of Einstein's field equations. This is because constructing such a mathematical structure—while feasible—would require deep expertise in discrete differential geometry and lattice QCD simulations, areas where specialists could likely derive rigorous formulations far more efficiently than the author. The primary focus of this work is to establish the conceptual linkage between spacetime elasticity, $SU(3)$ compression, and emergent gravity, leaving the formal discretization of GR as an open task for collaboration. Researchers with relevant expertise are warmly invited to develop this aspect further.

The interpretation of mass-gravity-color interactions in this paper is not my original creation. In fact, **Einstein's geometric spacetime paradigm** proposed a century ago had already elucidated this fundamental principle.

The above framework and its speculative explanation can be consistent with most known physical phenomena (can't explain **delayed-choice experiments**), give another angle to understand physics process, but it just put forward a different analytical perspective, not a negation of the existing theory.

Some may critique this model appears overly mechanistic, but what we perceive as 'mechanical' might be self-organization's extension of Planck level interaction rules.

The geometric spacetime paradigm, pioneered by Einstein's geometric intuition (Einstein, 1916)[4] has been profoundly developed by subsequent physicists through both theoretical refinements and experimental verification. The model proposed herein builds upon the elastic spacetime paradigm, reinterpreting its continuum-based foundations through a discrete quantum framework.

As is widely known, Einstein established General Relativity; Planck's discoveries ignited the discussion and development of quantum theory; and Dirac laid the foundational framework for Quantum Field Theory. Throughout this process, numerous esteemed physicists have developed and refined these frameworks.

Murray Gell-Mann; George Zweig; Harald Fritzsch; Heinrich Leutwyler; David Gross[5]; Frank Wilczek[5]; Hugh Politzer[6] These physicists studying the $SU(3)$ strong interaction not only integrated algebraic structures with complex physical phenomena but also uncovered intricate phenomena such as quark confinement and asymptotic freedom. Their work has significantly advanced the understanding of the fundamental forces governing particle interactions. Anthony Zee[7] actually proposed the physical intuition of spring networks decades ago in his renowned textbook Quantum Field Theory in a Nutshell (2003). Jacobson, Theodore' study[8] of thermodynamics has provided profound insights into The Einstein Equation . Gerard 't Hooft[9] has made groundbreaking advances in quantum gravity, advocating for deterministic, discrete structures underlying quantum mechanics and general relativity. Carlo Rovelli [10] and Lee Smolin[11] have made significant contributions through their development of loop quantum gravity in the realm of quantum gravity. Notably, the ground-state spin postulate of SEQ framework exhibits remarkable consistency with the fundamental assumptions of loop quantum gravity, particularly regarding the discrete quantum structure of spacetime. Rafael Sorkin[12] is renowned for his foundational work on causal set theory, which posits that spacetime is fundamentally discrete and described by a partially ordered set of events. Edward Witten[13] has made transformative contributions to string theory and quantum field theory. Michael Turner[14] is celebrated for his pioneering research in cosmology, especially his work on dark energy and the accelerating universe. Xiao-Gang Wen's[15] has made pioneering work on topological order and string-net

condensation demonstrates. John Wheeler's[16] visionary concept of quantum foam—a fluctuating discrete spacetime at the Planck scale foundational supports to the framework. Fotini Markopoulou's[17] Quantum Graphity model describes spacetime as a dynamical quantum network. David Finkelstein,[18] a pioneer in discrete spacetime physics, proposed that time and space emerge from algebraic operations on fundamental quantum units, directly prefiguring modern quantum gravity models. Wayne C. Myrvold's[19] seminal work to the philosophical foundations of thermodynamics have significantly deepened our understanding of its role as a fundamental driver of the universe. Perez Felipe Sergio's[20] might have earlier recognized how the compression of space by massive objects leads to external stretching. Ali H. Chamseddine, Viatcheslav Mukhanov[21] develop a discrete differential geometry framework, where spacetime curvature and connections emerge from elementary Planck-scale cells, bridging discrete and continuous spacetime. Dmitry Chelkak, Alexander Glazman, Stanislav Smirnov [22] developed a discrete version of the stress-energy tensor for lattice models, rigorously connecting it to continuum field theory. A precision measurement of the positron magnetic moment, currently underway by the Fan-Myers-Sukra-Gabrielse collaboration [23], could test two key hypotheses of the SEQ framework: (1) the fixed chirality of SEQ ground-state spin, and (2) the spatially symmetric SEQ structure of charged leptons as proposed herein. Manoelito M. de Souza[24] presents a rigorous theoretical framework for discrete scalar fields in spacetime. The diagrams in this work were created using the free online drawing tool provided by JGraph [25]

Gudrun Kalmbach H.E. (2021) [26] and C. G. Sim (2021)[27] reported the relationship between gravity and color charge interactions in their respective papers before me, although our theoretical frameworks differ fundamentally. This work builds upon Wolfram's foundational insight[28] that simple computational rules can give rise to complex emergent behavior. Usha Raut had pointed out the connection between QCD and gravity in the paper[30] in 2023. Recently, I found that the idea of mass as a compressed state of space was previously explored by Ethan Richards[31], who presented this concept earlier than my own contribution. The latest experiment by Holger F. Hofmann's team has verified that photons physically exist in multiple wave paths during the double-slit experiment[32], I believe this experiment is of great significance, as it verifies the simultaneous existence of multiple equivalent paths of least action. Maxwell's vortex model provided significant inspiration for the electromagnetic field physical picture under the SEQ framework in Chapter 14 [33]. David Cornberg emphasized early on in his work that matter is a form of space and provided many insightful perspectives on the nature of space[34]. John Duffield has shared many critical opinions and historical insights on physics on his blog, especially regarding the understanding of time and the structure of space, offering original and thought-provoking perspectives[35]. Louis de Broglie [36] was the first to systematically propose the concept of matter waves, which inspired numerous subsequent studies on the nature of matter and its motion, including my own research. In *The Universe in a Helium Droplet* [37], Volovik regards the vacuum as a continuous topological quantum liquid, unifying particles, gauge fields, and gravity through the order parameter field and its topological defects in momentum space. Miguel O. Katanaev and Igor V. Volovich modeled the universe as an elastic medium and incorporated dislocation mechanisms, providing a reformulation of Einstein–Cartan theory within a three-dimensional framework using elasticity theory[38]. The terms 'Elastic Quantized Space' and 'Elementary Quanta of Space' were used by Leonov Vladimir (1996) in his work[39], we share common ground with Leonov's approach in recognizing the quantum-elastic lattice configuration of space, the correspondence between lattice resonant frequency and proper time, and other related aspects, while our conceptual and theoretical framework is distinct from his in other respects. Readers are encouraged to consult his work for comparison and further context. I have benefited greatly from the extensive summary of analogue gravity models presented by Barceló, Liberati, and Visser [40], which helped clarify the landscape of related approaches. The straton model proposed by He Zuoxiu et al. [41] was the first to conceptualize hadrons as composite entities with a hierarchical structure made of more fundamental constituents. John M. Baker had already used an elastic solid model in his 2008 paper [42] to model space as an analogy for gravity, interpreting matter and its motion as excited states of space, and he carried out a formal mathematical treatment. My viewpoint closely aligns with his space elastic solid-like understanding, although we differ significantly in how we reconcile quantum spin degrees of freedom with gravitational elastic degrees of freedom and in other essential aspects. T. H. R. Skyrme [43], within his unified field framework, represented elementary particles as topological solitons of space, thereby

providing a concrete scheme for the unification of matter and space. Max Planck [44] explicitly proposed over a century ago the necessity of finding an analytical expression for entropy. Jun Ze Shi [45] explicitly describes matter as compressed space and the gravitational field as stretched space. R. A. Close [46], within the paradigm of elastic solid space, provides a self-consistent mathematical framework for the view of matter waves as traveling wave packets. The outstanding work of these experts—J. R. Abo-Shaeer et al. [47], Dunajski, Maciej [48], Zabusky, Norman & Kruskal, M. [49], Zakharov, V.E. [50], Bell, J. S., & Aspect, A. [51], E. Recami, M. Zamboni-Rached, H.E. Hernandez-Figuera, L.A. Ambrosio [52], Elbaz C. [53], Bohm, D., & Hiley, B.J. [54], Holland, P. R. [55]—has deepened our understanding of physical reality from different dimensions, particularly concerning the two core concepts: "the reality of space" or "matter can be viewed as a localized wave structure." Furthermore, this model's geometric intuition for the Higgs mechanism is deeply inspired by the concepts presented in the works of Roy P. Kerr [56] and Friedrich W. Hehl, Paul von der Heyde, G. David Kerlick, James M. Nester [57].

We note that Wheeler's concept of "mass as geometry" has inspired numerous developments, which could not all be cited here.

William Kingdon Clifford explicitly stated in 1876 [58] that matter and energy are merely different types of curvature of space. He is regarded as a pioneer of the notion that physics reduces to the geometry of space, a perspective that profoundly anticipated later developments.

Since 2009, Arto Annala [59][60][61][62][63] proposed that energy gradients serve as the fundamental driving force underlying both quantum processes and cosmic evolution. The present model is an exploration carried out precisely along the lines of this important framework. In its examination of several key issues — including the equivalence between the path of maximum entropy and the path of least action, the nature of life as an agent of entropy production, space as ontological reality, the chiral nature of space, the structural nature of electron, dark matter as something other than a particle, and questioning the physical reality underlying the unitarity postulate of quantum mechanics — this model aligns closely with the intellectual program pioneered by Arto Annala.

David Hestenes [64] has promoted Geometric Algebra since the 1960s, interpreting spinors as rotors rather than abstract probability amplitudes. The Clifford structure naturally entails spacetime geometric realism. Hestenes himself views the electron not as a point particle with intrinsic properties, but as a geometric excitation wave in spacetime.

Danielewski and Roth (2023) [65] model space as an elastic solid and, via quaternions and the Cauchy equation, establish a relatively complete mathematical geometric duality between mass and gravity.

Yee and Gardi (2019) [66] have also proposed a Planck-scale lattice model in which the vibrational frequency of a lattice point corresponds to its proper time, although the model assumptions differ from this SEQ model in other aspects.

Wilson (1974), in his foundational work on lattice gauge theory [67], discretized the gauge field of continuous spacetime into correlation variables on lattice links, with the gauge potential corresponding to phase factors (group elements) between adjacent lattice points. Gauge symmetry becomes a redundant degree of freedom on local links. In Kogut's (1979) classic review [68], it is detailed that in lattice QCD, quark fields are defined on lattice points and gauge fields on links. All physical processes are completely determined by the interactions between adjacent lattice points. The geometric intuitions for gauge symmetries presented in Sections 10 and 14 of this SEQ model are developed precisely under the guidance of this lattice gauge theory tradition.

Historically, Sakharov (1968) [69] pioneered the idea of gravitational spacetime as an elastic medium by proposing that gravity is an induced effect arising from quantum vacuum fluctuations. More recently, Izabel (2025) [70] developed a comprehensive four-dimensional elastic field-theoretic formulation of spacetime. We cite Sakharov and Izabel here for the reader's reference. Taken together with the prior works surveyed above, it is evident that the elastic analogy for spacetime enjoys a wide and well-developed intellectual lineage.

Other Similar ideas may exist in earlier literature. I strive to properly cite the relevant prior work as I know them through ongoing research.

I would like to express my sincere appreciation to Professor Pier Sandro Scano. His profound understanding of spacetime[71] not only enriched my thinking but also, more importantly, his encouragement gave me the strength to persevere with this research when the path was uncertain.

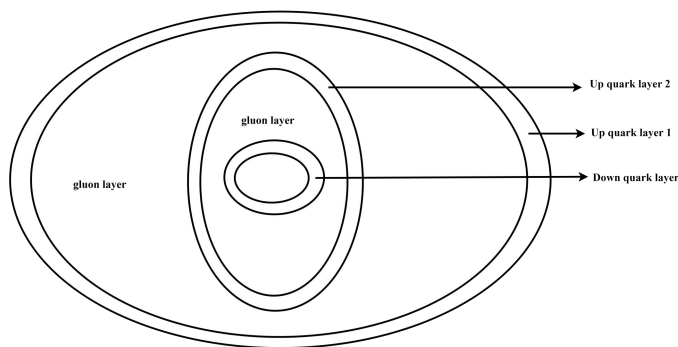
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Section Appendix A

Appendix A.1. Speculative Diagram of Proton's Internal Structure with Quarks and Gluons

Diagram:Speculative Diagram of Proton's Internal Structure



Draw tool: draw.io [Computer software]. <https://github.com/jgraph/drawio>

Diagram.2:Speculative Diagram of Proton's Internal Structure with Quarks and Gluons. Online Draw tool[25]

Appendix A.2. Degrees of Freedom in the Future and The Essence of Life in This Model

The essence of life: Life is a spontaneously evolved cumulative entropy maximization path-planning system within a thermodynamic context.

Organisms record historically efficient multi-step high-entropy-output pathways through genetic and experiential mechanisms, encoding them into functional modules that are storable, composable, and extrapolatable. By performing fractal recognition and pattern matching on the topological structure of spatial energy distribution, these templates are selectively and batch-invoked to maximize cumulative entropy production across extended time scales. The more advanced the organism, the stronger its capacity for long-term sequential planning, the more refined its fractal identification of energy landscape topology, and the higher its efficiency in recording and encoding historical high-entropy-output pathways. Intelligent beings such as humans do not rely solely on passive genetic memory to store modularized pathways; instead, they extend this capability externally—through written records, evolving into electronic media storage, and further materializing these high-entropy-output pathways into tools and engineered devices that embody and automate their operation.

In section 13.10, we mentioned that from the perspective of this model, the probabilistic randomness in the Schrödinger equation arises because there is more than one maximum entropy path available at the next moment.

Within this model, although equivalent maximum entropy paths may exist for the next moment, different choices among these equivalent paths lead to divergent evolutionary trajectories over extended time sequences. This divergence constitutes the essence of biological path selection. While immediate next-step choices may be thermodynamically equivalent, their long-term consequences differ significantly in terms of

cumulative entropy production. Thus, biological decision-making is fundamentally a forward-looking process. Genetic memory and experiential memory equip organisms with the capacity to anticipate future path developments, going beyond mere Markovian decisions based solely on the present state.

For example, for an organism, placing wood either to the left by the river or to the right beside a fire might represent equally probable maximum entropy transitions in the immediate next step. However, their subsequent entropy production over time will differ substantially. Therefore, the organism performs a prospective evaluation—selecting, among several equivalent maximum entropy paths at each instant, the one that leads to the greatest cumulative entropy increase over multiple future steps. This evaluation relies on genetic and experiential memory, which essentially encode previously successful cumulative high-entropy-production pathways and extrapolate them into the future.

Even in the choice of whether or not to freeze food in a cold storage facility, the act of refrigeration—though seemingly entropy-reducing—can be understood from a broader thermodynamic perspective. When considering the local system as a whole, including both the refrigerator and its external environment, the thermodynamic evolution at the next moment may follow an equivalent maximum entropy production path compared to leaving the food unrefrigerated and allowing it to decay naturally. In other words, the instantaneous rate of entropy production may not differ significantly between the two choices. The refrigeration process itself consumes energy and releases waste heat, and the total entropy generated during this process is sufficient to ensure that the global entropy increase is no less than—and possibly even exceeds—that of natural decomposition. Thus, the maximum entropy paths at the immediate next moment are effectively equivalent.

However, the crucial difference emerges over multi-step temporal evolution and the resulting trajectory of cumulative entropy production. Although the two choices exhibit thermodynamic equivalence at the initial moment, the decision to refrigerate opens up a distinct future path topology. By delaying the inefficient breakdown of organic matter, refrigeration preserves food resources with high chemical potential energy, thereby enabling individuals or societies to sustain metabolic activity over longer timescales, engage in complex labor, operate advanced technologies, and drive organizational expansion. These subsequent activities—whether agricultural reproduction, industrial manufacturing, transportation, or information processing—are all high-entropy-producing processes.

This once again confirms a central insight: the decisions made by living organisms, and especially intelligent civilizations, are not based merely on Markovian choices that maximize instantaneous entropy production at each moment. Rather, they are guided by a forward-looking path evaluation mechanism that integrates historical experience and future modeling. What intelligent beings optimize is not just the immediate step, but the long-term cumulative entropy production, operating within the constraint of selecting among maximum entropy paths available at each successive moment.

Genetic and especially experiential memory are most effectively formalized through mathematical structures—that is, encoding experience via mathematical representations to ensure precise storage and retrieval.

The essence of science and technology in intelligent life is the encoding of past experiences that successfully opened cumulative high-speed entropy-increasing pathways into tools, machines, and code—transforming them into pre-established routes that do not need to be rediscovered. These modular structures enable intelligent agents to transcend the Markov limitation of making decisions based only on the current state for the next immediate step. Instead, they allow pursuit of maximal cumulative entropy production over multiple time steps—not resisting entropy increase, but actively guiding and amplifying it.

In the framework of SEQ network dynamics, technological behavior in intelligent organisms can be viewed as an optimized control process for maximizing cumulative entropy production. Given the current spatial energy distribution $\{E_i(t)\}$, the system does not simply select the path that maximizes instantaneous entropy rate $\dot{S}(t)$ in the next moment. Rather, drawing upon genetic and experiential memory, it activates a set of pre-encoded multi-step entropy-increasing path templates $\Gamma_k = \{\Delta S_k^{(1)}, \Delta S_k^{(2)}, \dots, \Delta S_k^{(n)}\}$, and physically implements them through tools, devices, or algorithms.

These templates, once encapsulated programmatically and combined modularly, form stable high-entropy-production channels, significantly enhancing long-term efficiency of entropy flow. This establishes life as an active participant in cosmic evolution. From this perspective, living systems can be understood as units optimized for discovering and following paths of maximal cumulative entropy increase.

Human civilization as a whole can thus be seen as a large-scale network dedicated to discovering, optimizing, and solidifying such maximal cumulative entropy-increasing pathways:

- **Power systems** → enabling long chains from fossil fuels to electricity, mechanical work, and information processing;
- **The Internet** → accelerating knowledge diffusion, improving societal responsiveness and adaptive efficiency;
- **Space exploration** → probing new energy sources and novel topological configurations of space;

All of these continuously expand the available pathways for generating greater entropy, representing a collective, intentional alignment with the universe's fundamental tendency toward increasing disorder—not by opposing it, but by channeling it more effectively.

From fossil energy to nuclear energy utilization, representing an upgrade in the freedom of energy levels; from power grids to the internet; from small electronic components such as resistors and capacitors to large-scale integrated circuits; from personal computers to artificial intelligence; from steam engines to electrical automation systems; and from geographical exploration on Earth to venturing into outer space—these developments continuously expand new pathways for achieving greater cumulative entropy production. The essence of realizing all this lies in recording, classifying, summarizing, and extrapolating previously successful cumulative entropy-increasing paths, transforming them into modularized and hardware-embodied forms, thereby enabling more efficient reproduction of past high-entropy-production pathways and facilitating the discovery of novel patterns that maximize cumulative entropy production in subsequent path selections

The specific optimization of cumulative entropy production pathways is as follows:

1. Record previous cumulative entropy-increasing pathways, and systematically summarize, structure, and mathematically formalize them. This process transforms historically successful energy-dissipation sequences into reusable and analyzable models.
2. Expand the degrees of freedom in energy levels—for instance, by harnessing nuclear energy—thereby accessing higher-density energy sources that enable a qualitative leap in entropy production rates.
3. Use tools or engineered systems to modularize and encapsulate these optimized entropy-increasing pathways. Devices such as power grids, automation systems, and integrated circuits serve as physical embodiment of high-efficiency dissipation routes.
4. Store the optimized pathways in durable media—such as books, digital databases, or electronic storage—to preserve collective knowledge across time and facilitate transmission between generations or networks.
5. Discover new entropy-maximizing pathways through reasoning or computational methods, including deduction, induction, and exhaustive trial-and-error exploration. Artificial intelligence and simulation tools significantly enhance this discovery process by enabling predictive modeling before physical implementation.
6. Continuously improve the identification of the topological fractal structure of environmental conditions, thereby enhancing the adaptability and efficiency of pre-optimized entropy-increasing modules when deployed in varying contexts.
7. After completing one full cycle from step 1 to step 6, the newly refined pathway Γ_{k+1} is written back into the memory repository. Subsequent iterations can then proceed via minor adjustments to existing templates, leading to progressively higher overall entropy production efficiency. If a breakthrough in energy-level degrees of freedom occurs, the cumulative entropy production efficiency may increase exponentially.

In this framework, civilization can be understood as an automaton driven by the principle of cumulative entropy maximization, while the SEQ framework provides an operational language spanning from the Planck scale to engineering scales.

From an evolutionary standpoint, life in this framework is understood as a system that survives and thrives by efficiently storing, recognizing, and invoking pathways that maximize cumulative entropy

production over extended time horizons—yet always within a Markovian constraint, meaning the organism's decisions are triggered solely by the energy distribution configuration of the present moment, without any direct access to future states. What distinguishes more advanced organisms is not the ability to escape this Markovian limitation, but rather their superior capacity to store historically successful cumulative high-entropy pathways in genetic and experiential memory, recognize fractal patterns in the current environmental energy configuration that match those stored templates, and prospectively invoke the route-options that promise the greatest cumulative entropy production across multiple future steps. This capacity for storage, recognition, and extrapolation confers a decisive competitive advantage, as organisms that can better anticipate the long-term consequences of their choices—while still operating strictly from present-moment information—outcompete those limited to short-sighted, merely reactive behaviors. Humans represent the pinnacle of this evolutionary trajectory: not only do we possess highly developed biological memory and pattern-recognition capabilities, but we have also externalized these functions through modern tools—computers, energy grids, automation systems, and digital databases—thereby amplifying our ability to store, recognize, and invoke cumulative high-entropy pathways far beyond what any individual organism could achieve alone.

This section is intended to be added to the appendix, but it appears somewhat tangential to the core framework of this model. Its primary motivation is to emphasize that even at the microscopic level of biological evolution, entropy increase remains irreversible.

Appendix A.3. Understanding Quantum Entanglement and Non-Local Correlations Within This Model

The essence of an entangled state, therefore, lies in ***complementary duality solutions*** across different sites under the global constraint of energy conservation —without violating local causality.

Previous sections have explicitly emphasized that this model focuses on local interactions in space and time, and introducing non-local relationships poses significant challenges to the model's computability and physical intuitiveness. However, since quantum entanglement has been widely experimentally verified, the following presents only a conceptual interpretive framework, without delving into detailed analysis.

As discussed in earlier chapters such as Chapter 3 and Chapter 13, the system's evolution is primarily driven by entropy increase and maximum entropy path selection at the quantum level—governed by local energy conduction rules derived from the second law of thermodynamics. So, what then is the nature of entangled states—manifestly non-local correlations—within this model? Do genuine non-local interactions actually exist?

We present a simplified case where the energy states of two distant quantum sites become correlated, without invoking non-local interactions.

Comparison Table of Evolutionary Paths under Local Energy Transfer Rules (Section3) using Multiplicative Entropy ($S = \Pi m_i$)

System Energy=23	Initial State T ₁	Path A (State T ₂)	Path B (State T ₂)
SEQ States	[5, 7, 1, 7, 3]	[5, 6, 2, 6, 4]	[6, 6, 2, 6, 3]
Entropy S	735	1440	1296
Entropy Increase ΔS	--	705	561
Explanation	Multiple transfer pairs with the maximum energy difference (7→1) exist. Both Path A and Path B satisfy the energy transfer rules mentioned in Section 3, including the rule of prioritizing the maximum energy difference between adjacent sites (the maximum entropy path selection rule).		

Based on the table above, we can observe that from the T1 [7,1,7] structure to the T2 [6,2,6] structure, sites 2 to 4 maintain symmetry. Furthermore, under both potential Path A and Path B at T2, sites 2-4 are [6,2,6]. This symmetry arises because the energy difference between sites 2 & 3 and sites 4 & 3 is greater than the energy difference between site 2 & site 1 and site 4 & site 5.

Under this model, as long as the condition for maintaining this symmetry holds, the energy states of site 1 and site 5 are in a correlated state.

When the symmetry from site 2 to site 4 is broken – for instance, measuring site 1 essentially inputs energy into it; if the energy of site 1 becomes greater than that of site 2 – then at the next moment, this symmetry is broken, and the complementary dual state between site 1 and site 5 is broken.

The above example and discussion equivalently demonstrate that, under the global energy conservation constraint, the local symmetry of the energy distribution generates an energy distribution symmetric configuration. The sites at both ends of this symmetric configuration form an energy state correlation, which is essentially the global energy conservation between site 1 and site 5. Due to the symmetry of the energy distribution from site 2 to site 4, the global energy conservation is compressed into the energy correlation between site 1 and site 5.

As long as the symmetry of the energy distribution configuration is not broken – even if site 1 is measured and a small amount of energy is input, provided the symmetry of the relevant energy distribution configuration in the next evolutionary moment is not broken – site 1 and site 5 remain correlated. Furthermore, although site 1 and site 5 are not adjacent, this correlation requires no non-local interactions.

The explanation for the entangled state provided above should be self-consistent and offer a clear picture. The global constraint of energy conservation fundamentally originates from the postulate of global topological invariance in this model.

This explanation accounts for the correlation of entangled states from the perspective of global energy conservation, without introducing non-local interactions that could potentially invalidate existing theories.

Based on the above discussion, we have demonstrated that, without introducing additional ad hoc hypotheses, global energy conservation—coupled with the emergence of certain symmetric energy distribution configurations—can lead to correlated energy states between two spatially separated quantum sites without the need for communication.

The next step is to see if relevant experimental phenomena can be found to verify or falsify it.

Appendix A.4. Under this model, the reinterpretation of classical thermal equilibrium

These interpretations require further development and refinement through additional theoretical work, numerical simulations, or experimental validation.

A.4.1. Entropy. As detailed in Section 3, within this model, entropy is interpreted as a measure of energy distribution uniformity, and can be precisely characterized at each step of the system's energy homogenization process using multiplicative entropy. Multiplicative entropy explicitly records the sequence of microstate transitions through the product form $S = \prod m_i$, thereby preserving path information and encoding time-causality into the thermodynamic framework.

A.4.2. Interface: From the SEQ Model to Classical Thermodynamics

The key interface between the SEQ model and classical thermodynamics lies in clearly defining the level of coarse-graining and explicitly specifying the energy level structure. In other words, when reducing the fundamental thermodynamic framework based on SEQ—a quantum-scale model—to macroscopic classical thermodynamics, the microscopic entities under consideration must be well-defined, and their degrees of freedom at the energy level must be fixed.

For instance, if atoms are chosen as the microscopic constituents, processes that involve nuclear reactions—must be excluded, as they correspond to different coarse-grained levels with distinct degrees of freedom. This is a necessary simplification strategy to maintain consistency within a given descriptive scale.

It should be noted that classical thermodynamics itself is also a coarse-grained approximation. For example, when analyzing thermodynamic processes in gases, traditional models typically assume that energy transfer occurs only through molecular collisions, while electromagnetic radiation and photon emission/absorption are generally neglected. Thus, both frameworks rely on scale-dependent abstractions, where irrelevant microscopic details are filtered out to focus on dominant macroscopic behaviors.

A.4.3. Thermal equilibrium: In this model, the conditions for a closed system to be in thermal equilibrium are (1) whether the energy levels of objects at different coarse-grained levels are stable—that is, there should be no significant transitions between different coarse-grained levels under thermal equilibrium; (2) whether the distribution of microscopic state objects active within the system across different levels is uniform and stable (the uniform distribution of microscopic state objects implies that energy levels are locked, because once degrees of freedom of energy levels are activated, it necessarily involves an increase in the hierarchy of microscopic state objects, for example, nuclear reactions inevitably involve the quantum level and directly reach the quark-gluon level). In a system at thermal equilibrium, entropy is relatively stable and the rate of entropy increase is very low. Thus, from the perspective of this model, the conditions for thermal equilibrium in systems with different coarse-grained structures can also be understood.

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